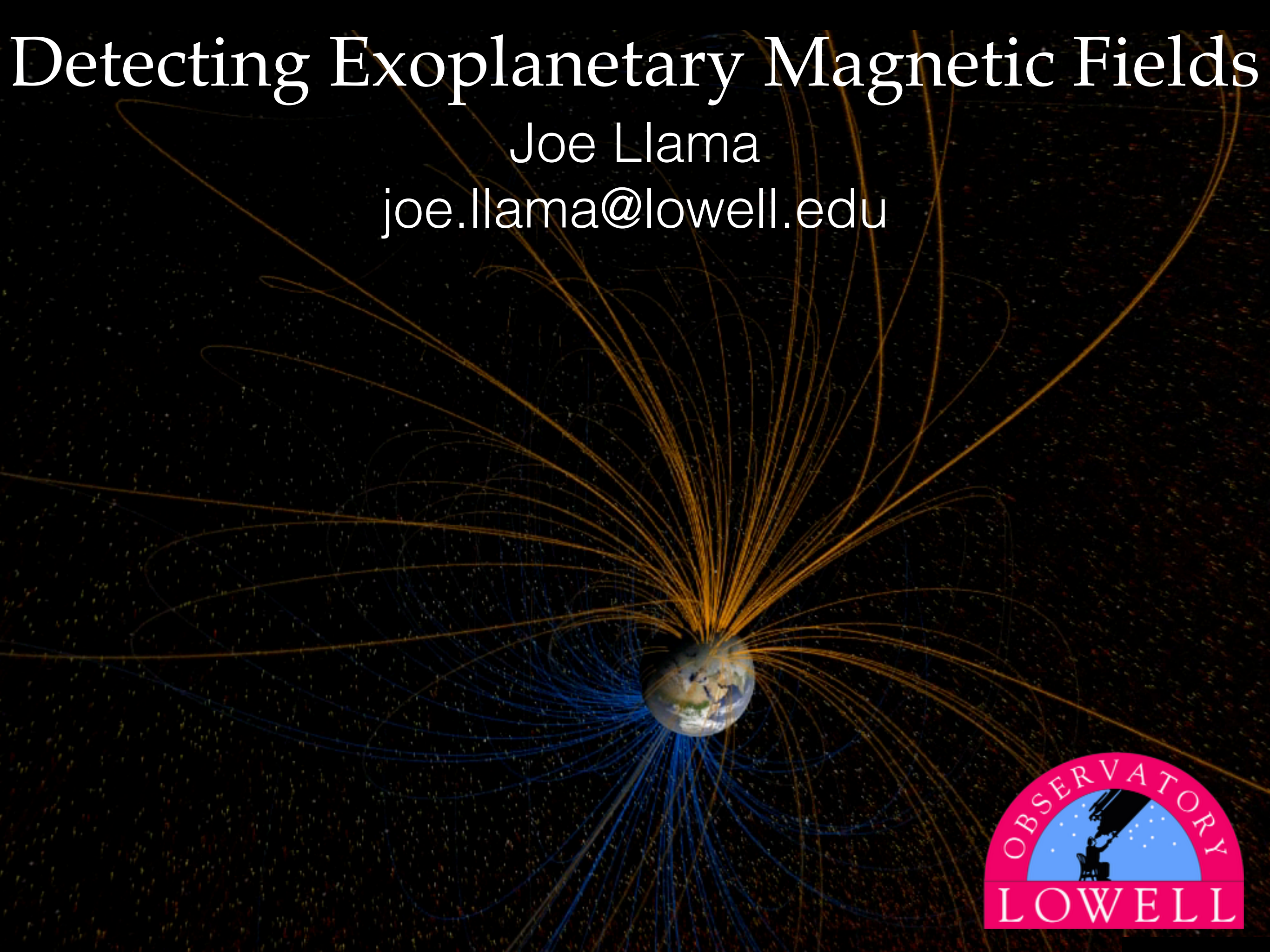
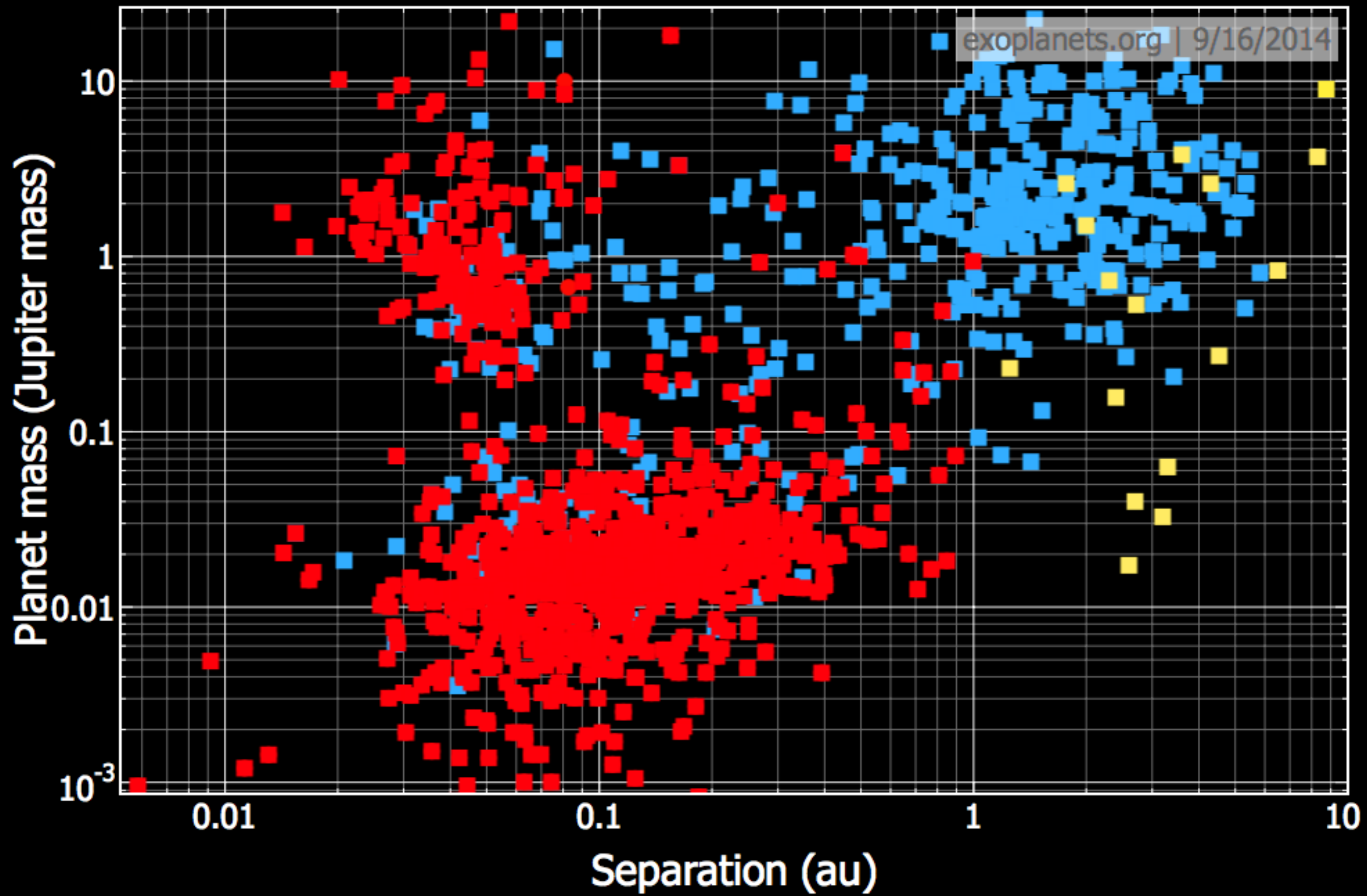


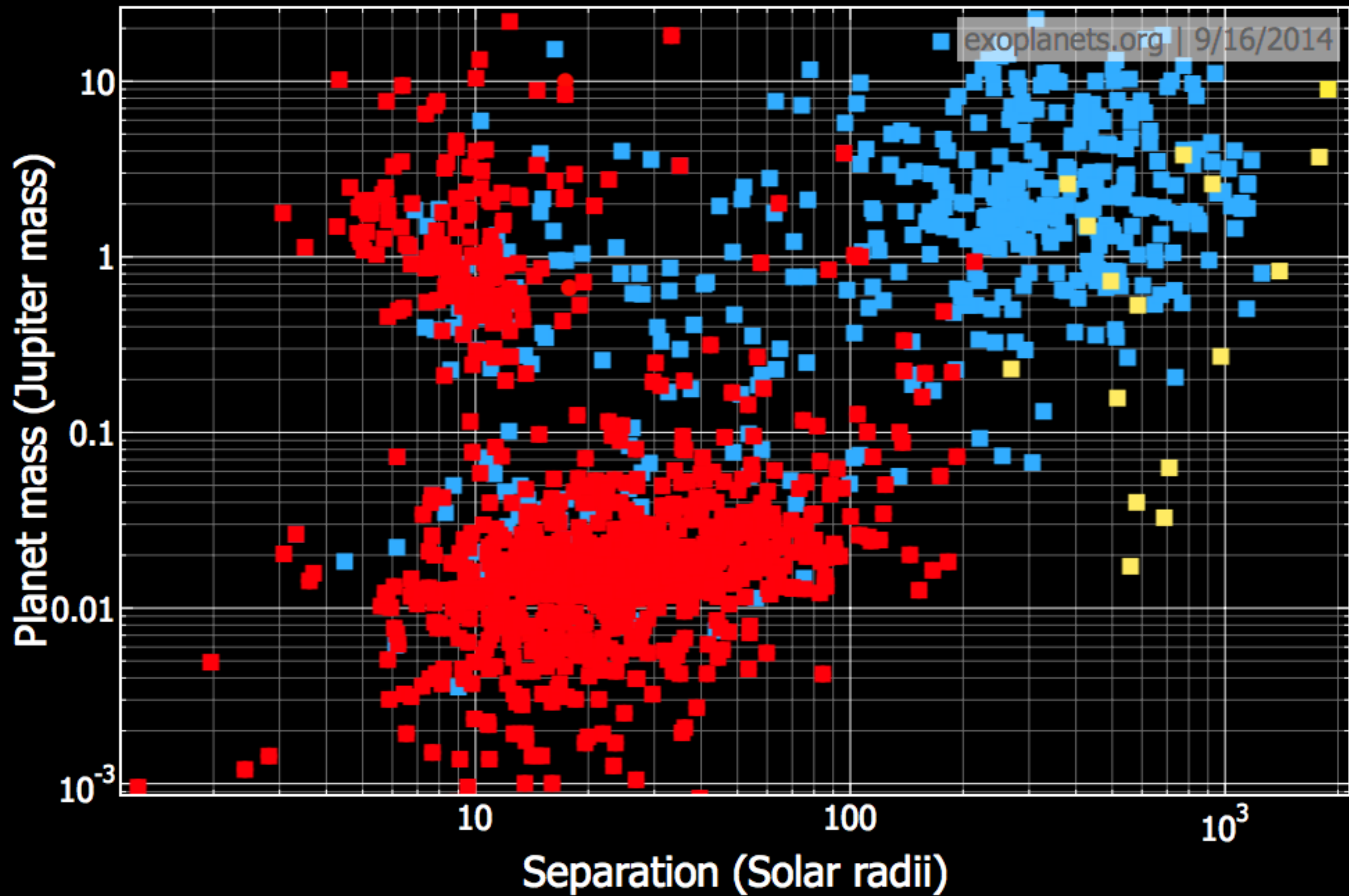
Detecting Exoplanetary Magnetic Fields

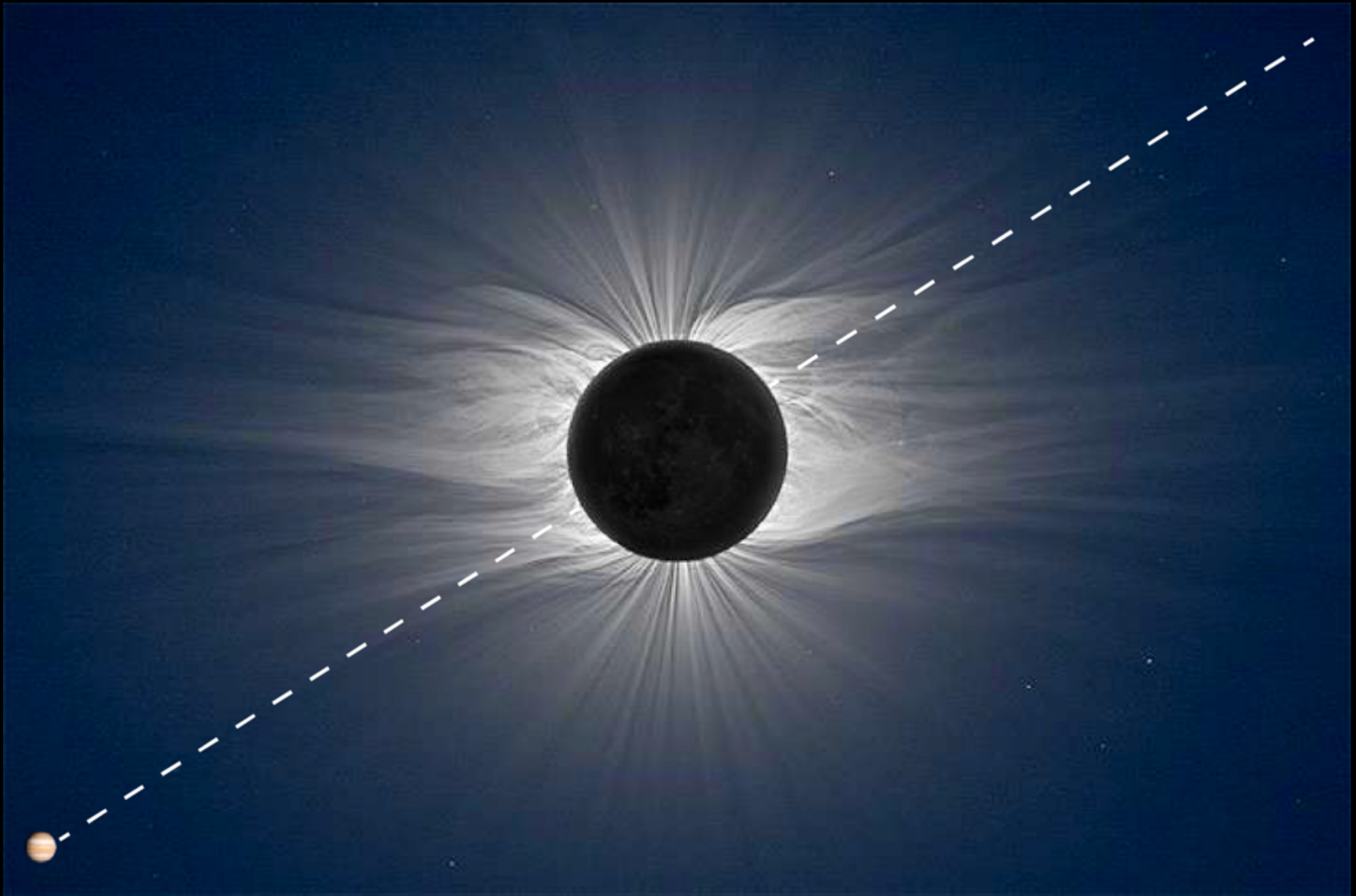
Joe Llama

joe.llama@lowell.edu



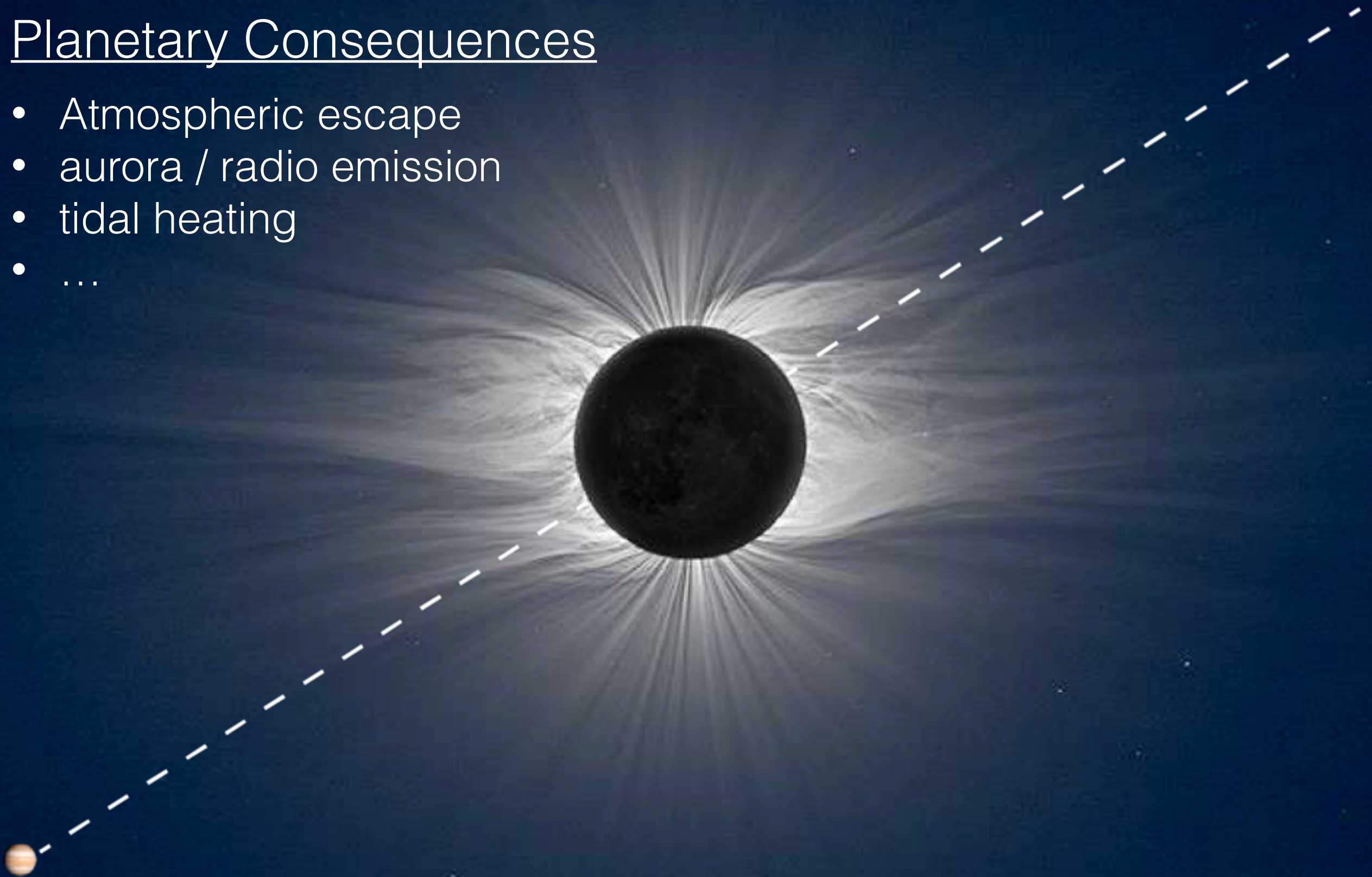






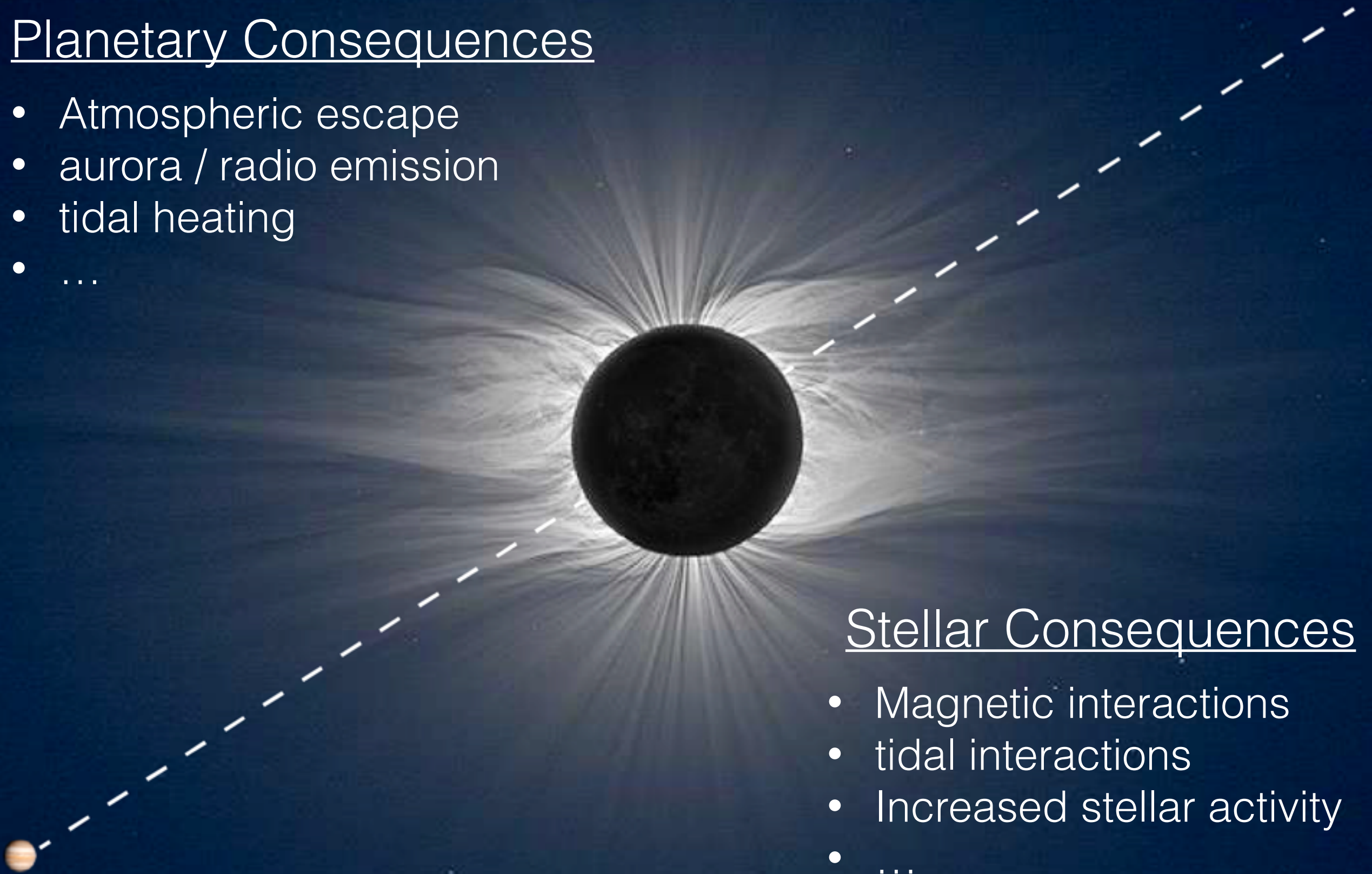
Planetary Consequences

- Atmospheric escape
- aurora / radio emission
- tidal heating
- ...



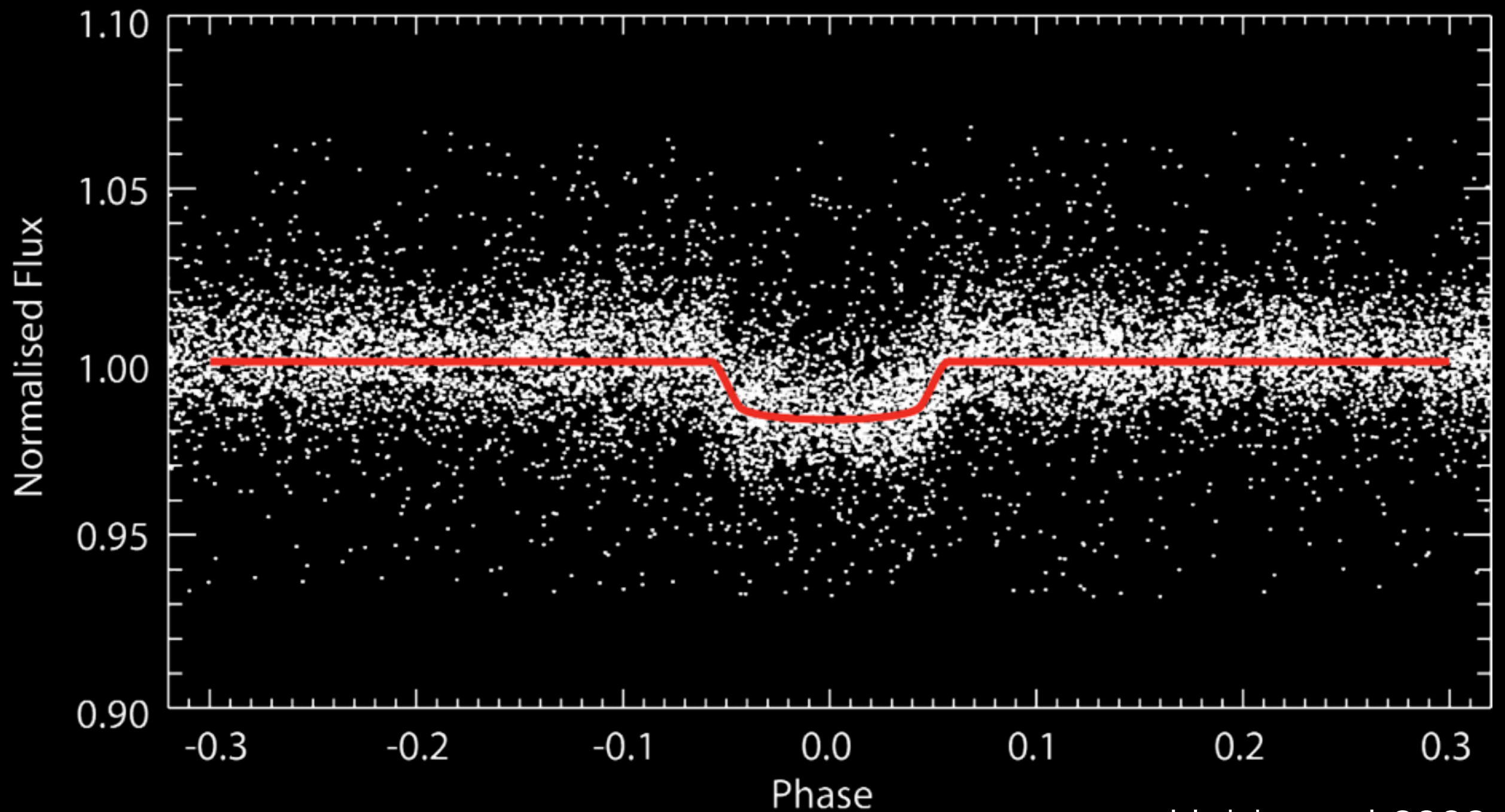
Planetary Consequences

- Atmospheric escape
- aurora / radio emission
- tidal heating
- ...



Stellar Consequences

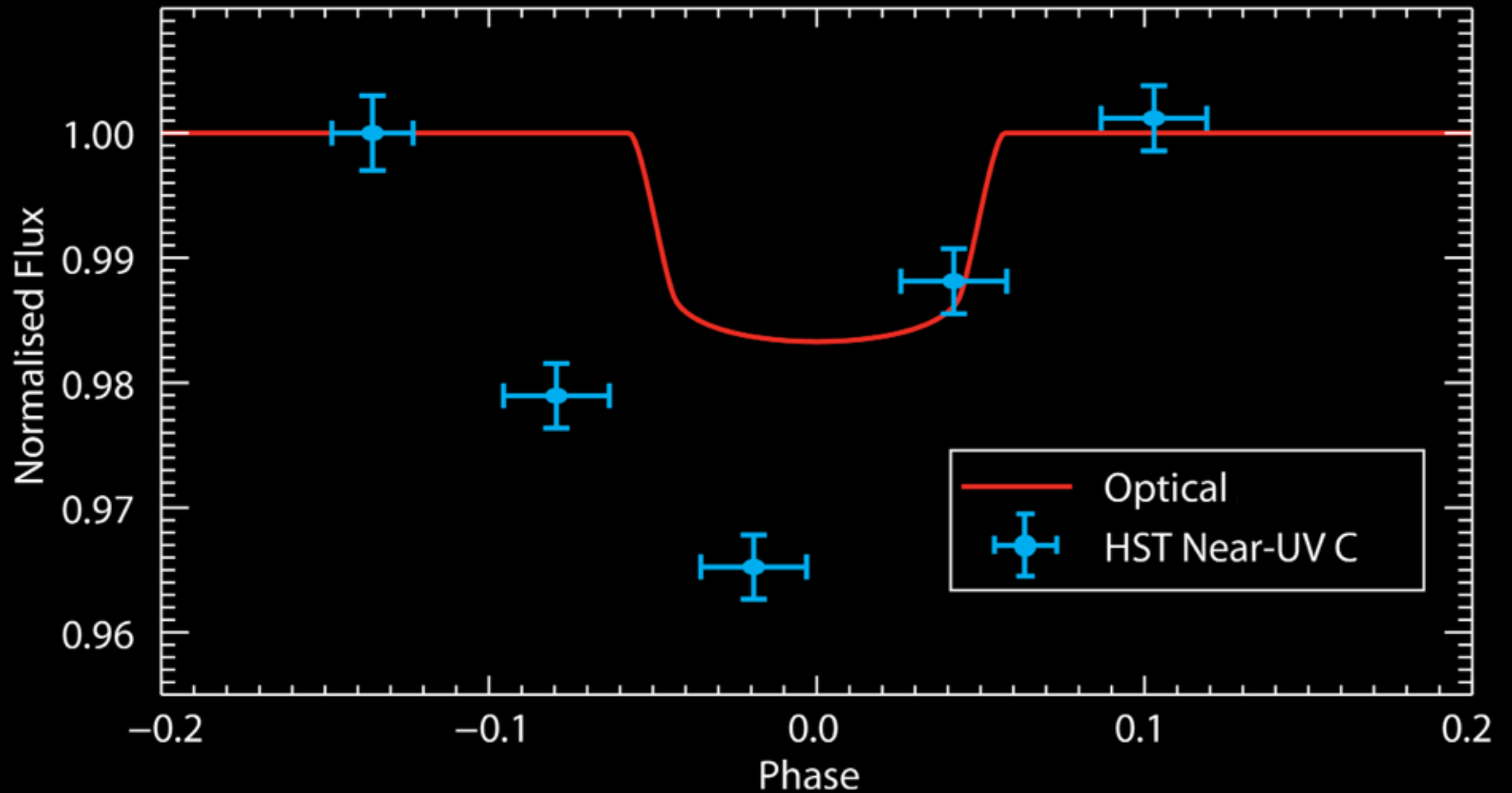
- Magnetic interactions
- tidal interactions
- Increased stellar activity
- ...



Hebb et al 2009

WASP-12b

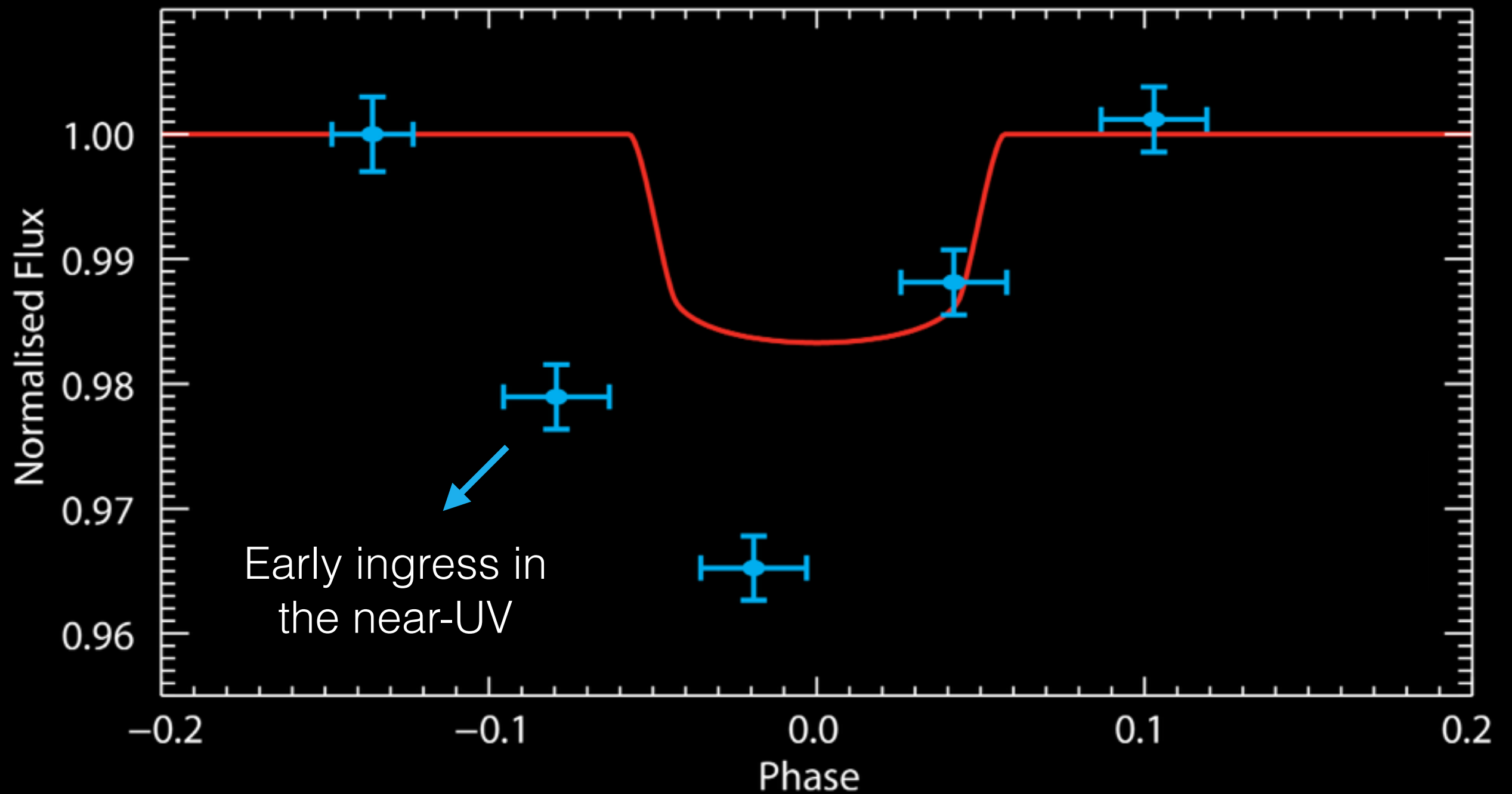
- $R_{\text{planet}} = 1.83 R_{\text{Jupiter}}$
- $a = 3.134 R_{\star}$ (~26 hours)



Fossati et al. 2010

WASP-12b

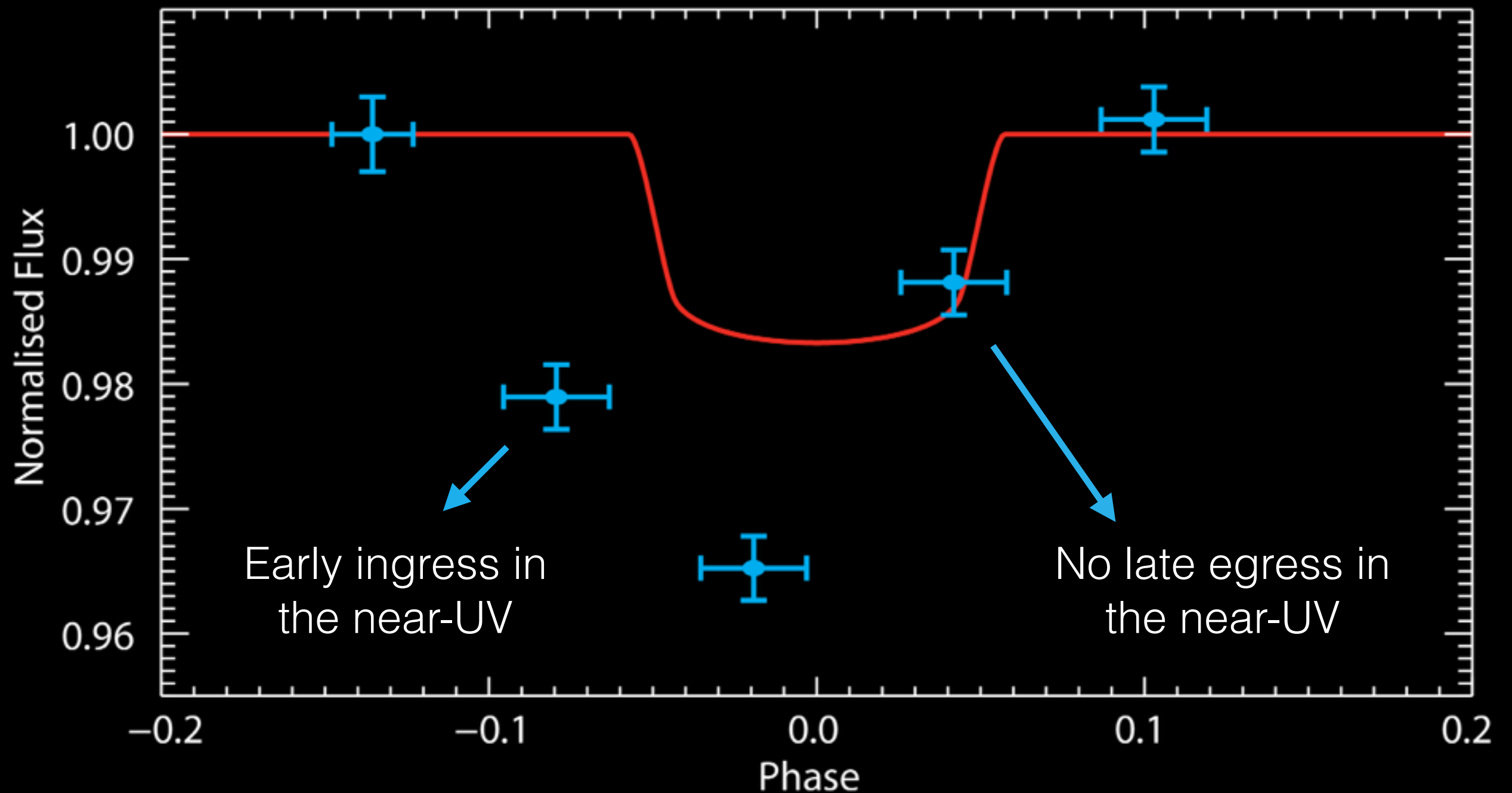
Near-UV light curve: Transit Asymmetry



Fossati et al. 2010

WASP-12b

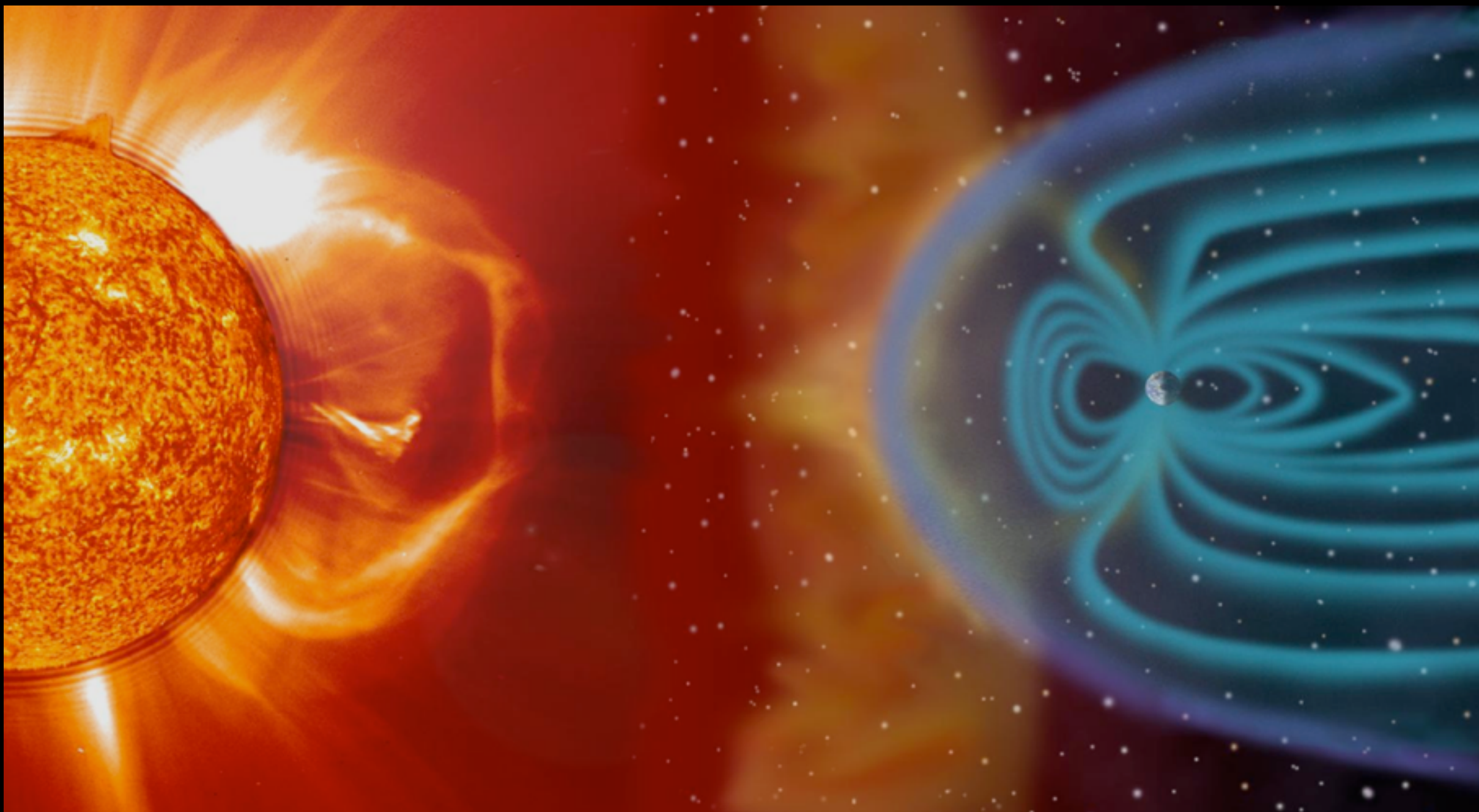
Near-UV light curve: Transit Asymmetry



Fossati et al. 2010

WASP-12b

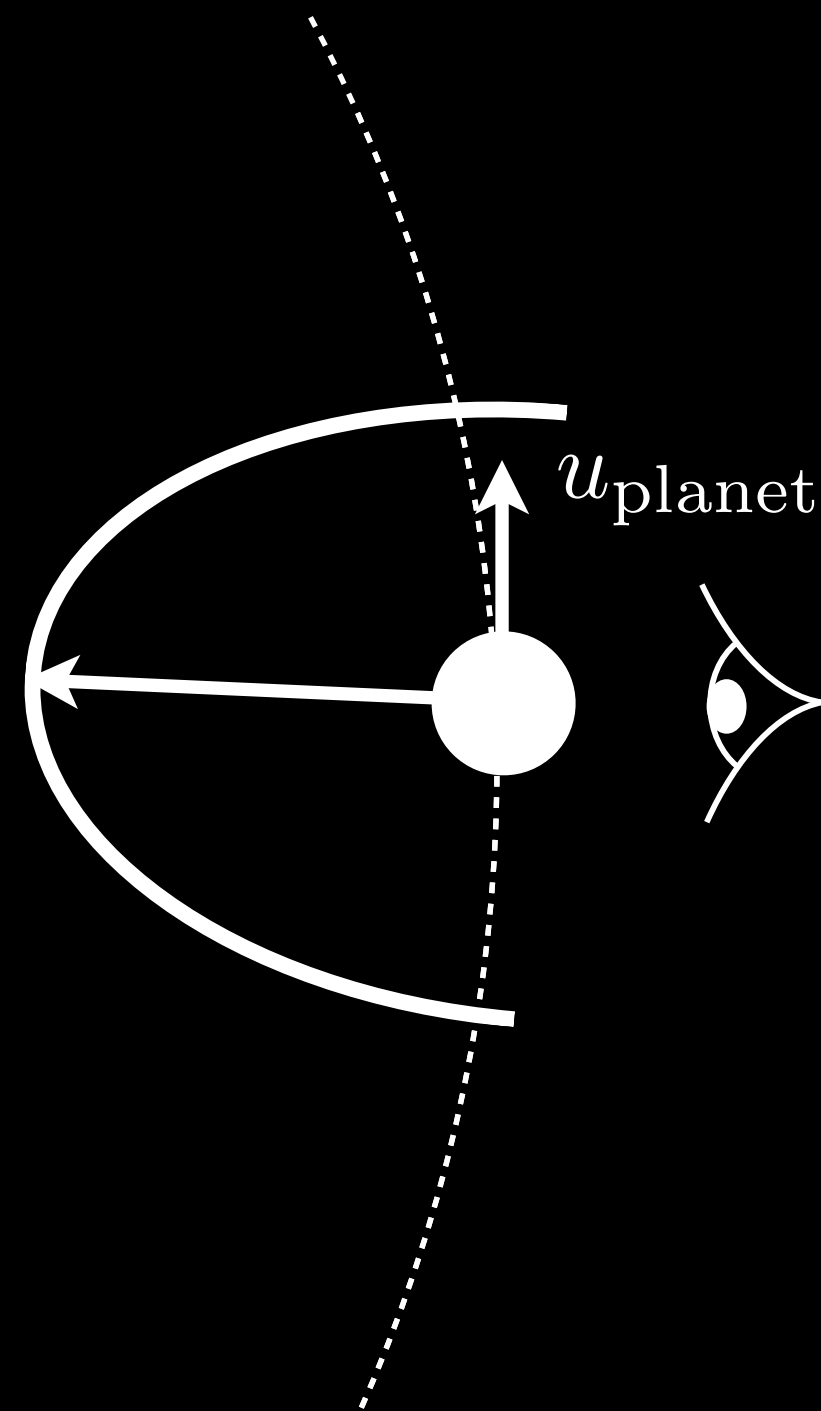
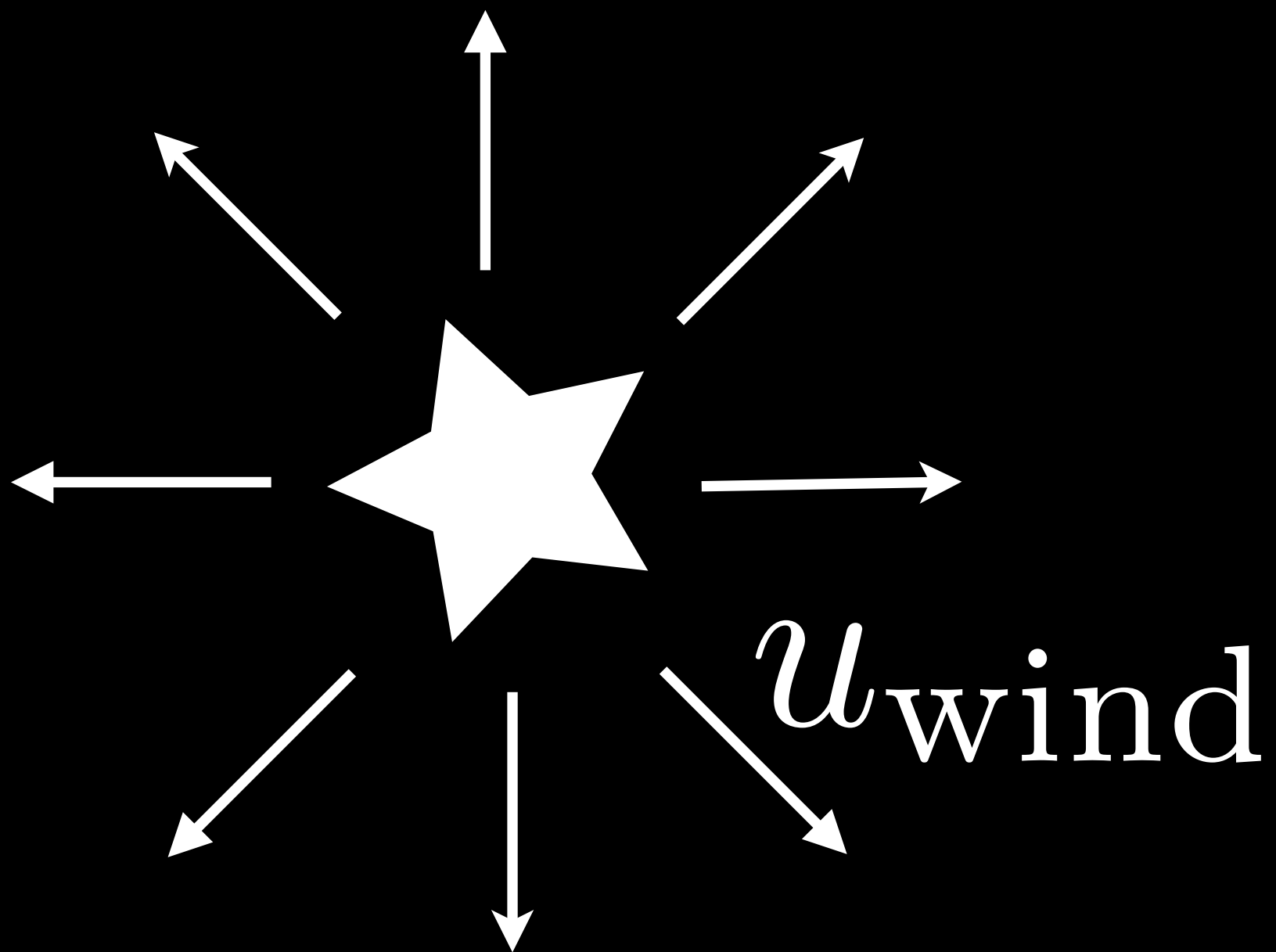
Near-UV light curve: Transit Asymmetry



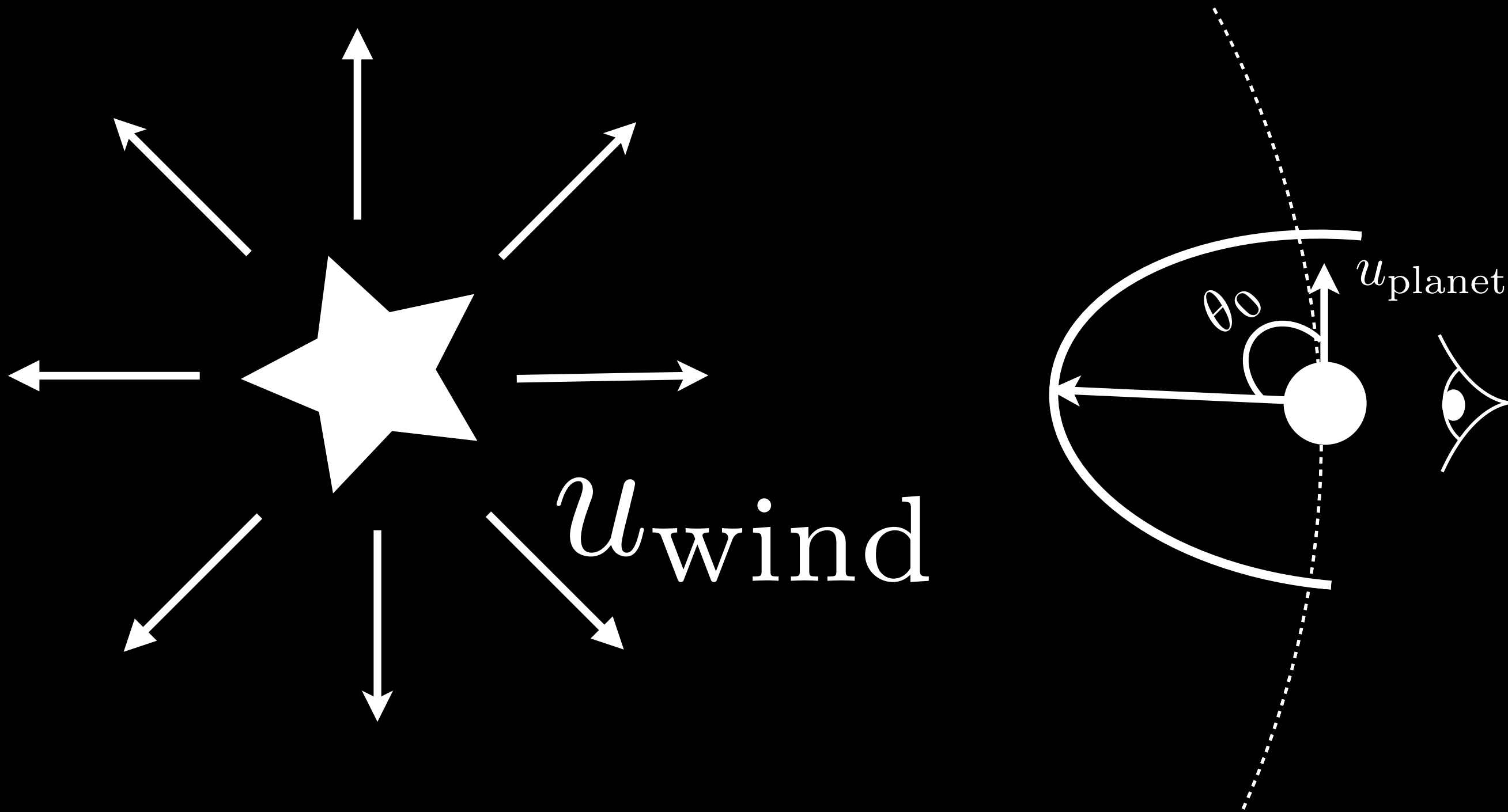
Stellar Wind

Vidotto et al. 2010: Interaction between stellar wind and planetary magnetic field causes compression.

Shock Model

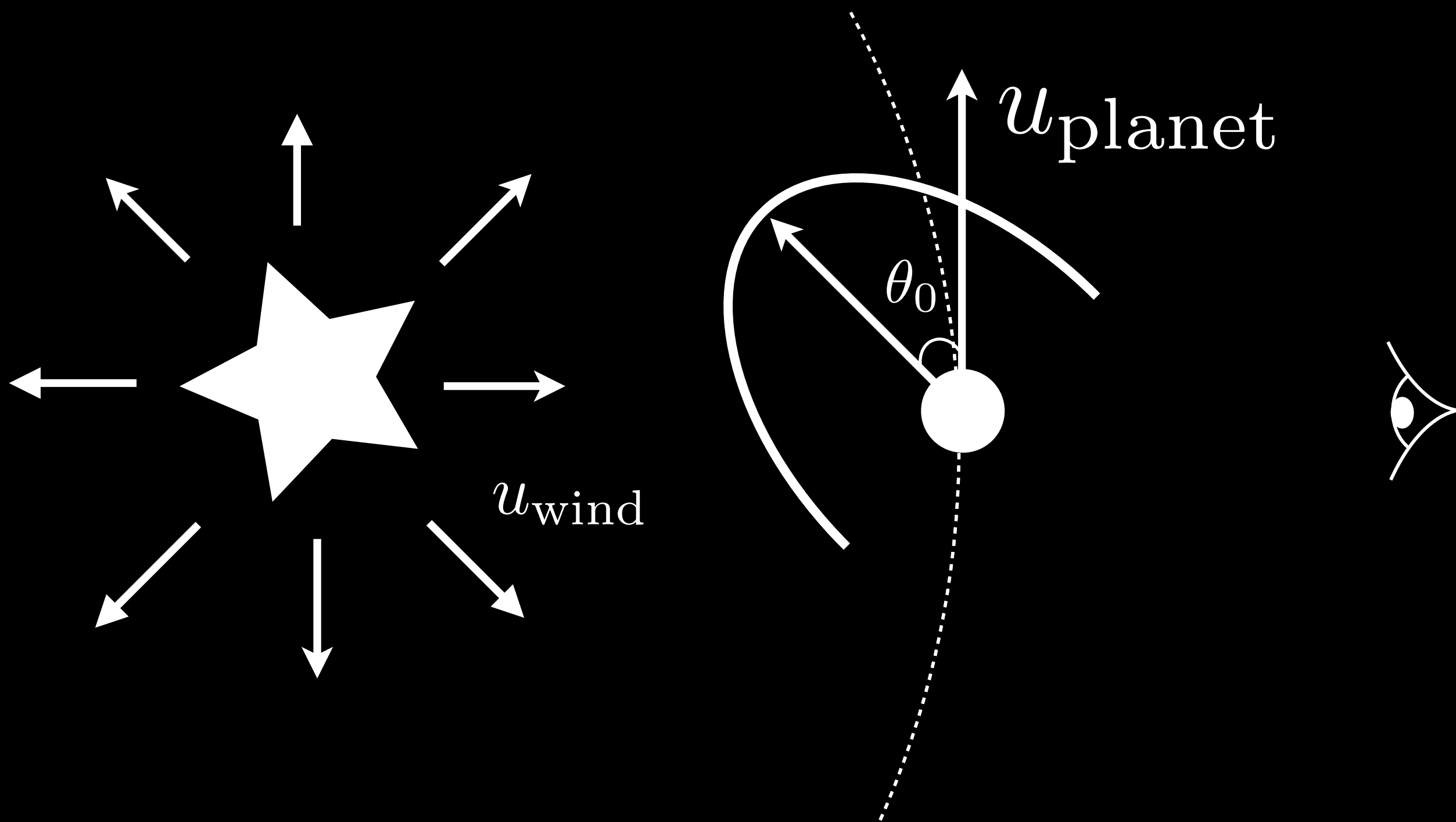


Shock Model



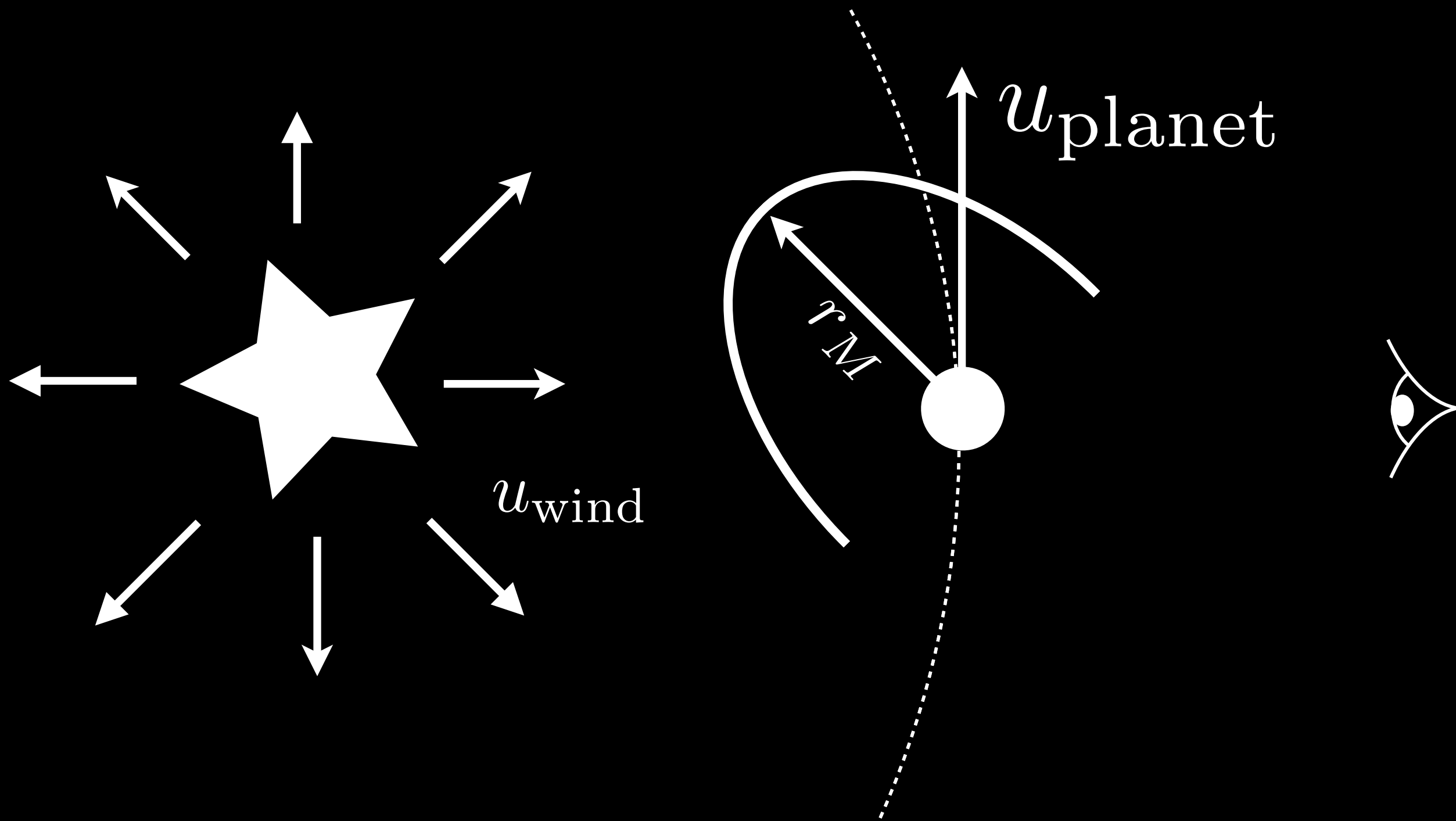
$$\theta_0 = \arctan \left(\frac{u_{\text{wind},r}}{u_{\text{planet}} - u_{\text{wind},\varphi}} \right)$$

Shock Model



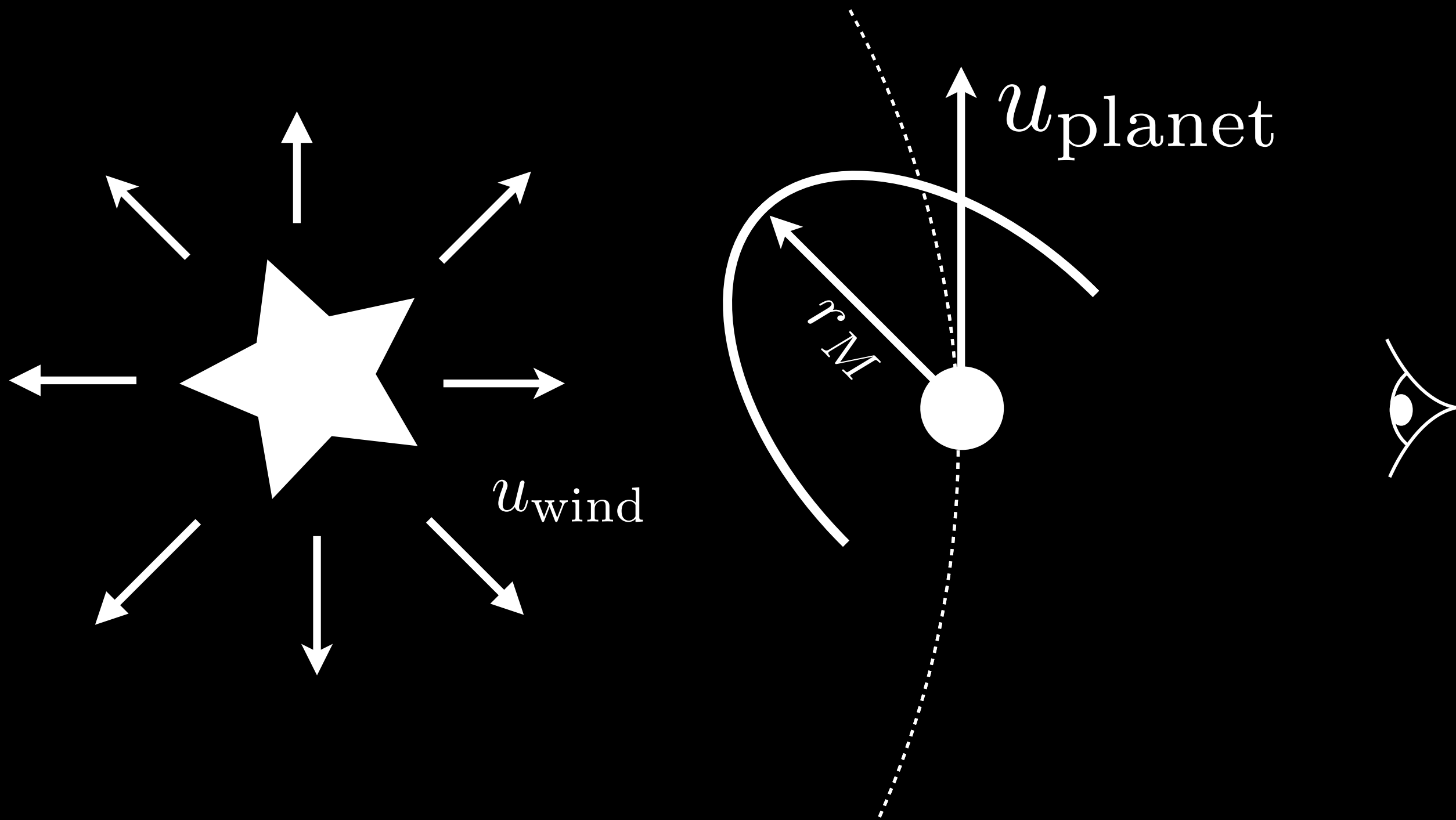
$$\theta_0 = \arctan \left(\frac{u_{\text{wind},r}}{u_{\text{planet}} - u_{\text{wind},\varphi}} \right)$$

Shock Model



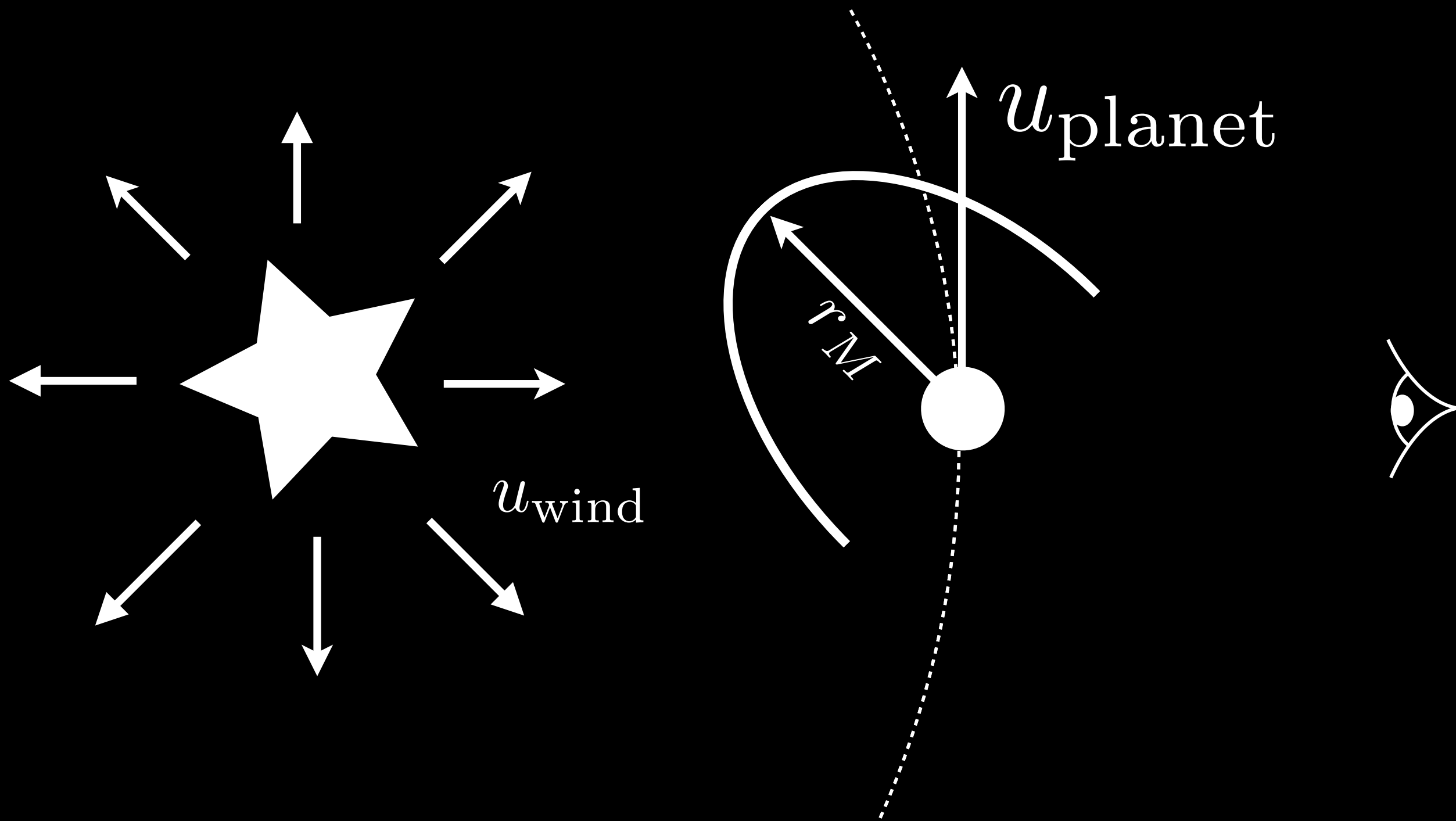
$$\rho_{\text{wind}} \Delta u_{\text{wind}}^2 + \frac{B_{\text{wind}}^2(r_{\text{orb}})}{8\pi} + p_{\text{wind}} = \frac{B_{\text{planet}}^2(r_M)}{8\pi} + p_{\text{planet}}$$

Shock Model



$$\rho_{\text{wind}} \Delta u_{\text{wind}}^2 + \frac{B_{\text{wind}}^2(r_{\text{orb}})}{8\pi} + \cancel{p_{\text{wind}}} = \frac{B_{\text{planet}}^2(r_M)}{8\pi} + \cancel{p_{\text{planet}}}$$

Shock Model



$$B_{\text{planet}}(r_M) = \frac{B_{\text{planet}}}{2} \left(\frac{R_{\text{planet}}}{r_M} \right)^3$$

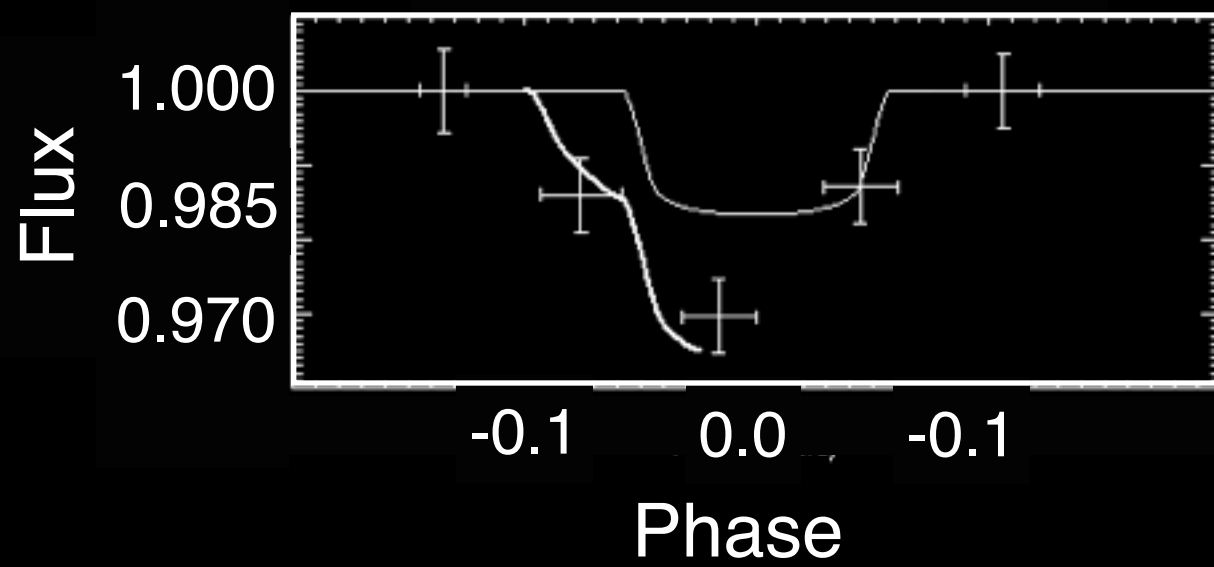
WASP-12b In The Near-UV

Llama et al. (2011):

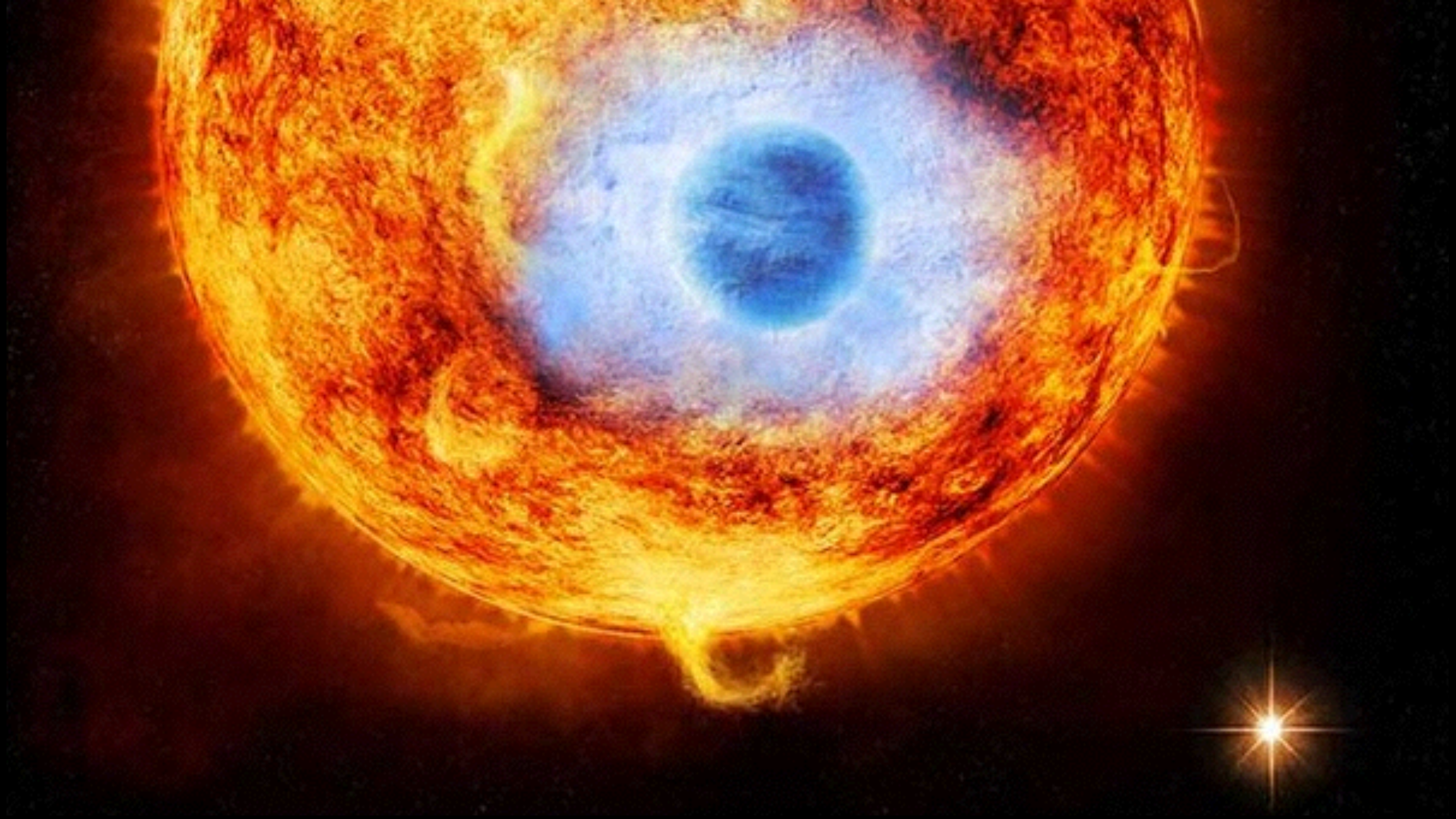
Potential detection of a magnetic field around WASP-12b

Magnetosphere protects the atmosphere to $\sim 5 R_p$.

The magnetic field strength is $B_p \sim 24$ Gauss.



<http://arXiv.org/abs/1106.2935>

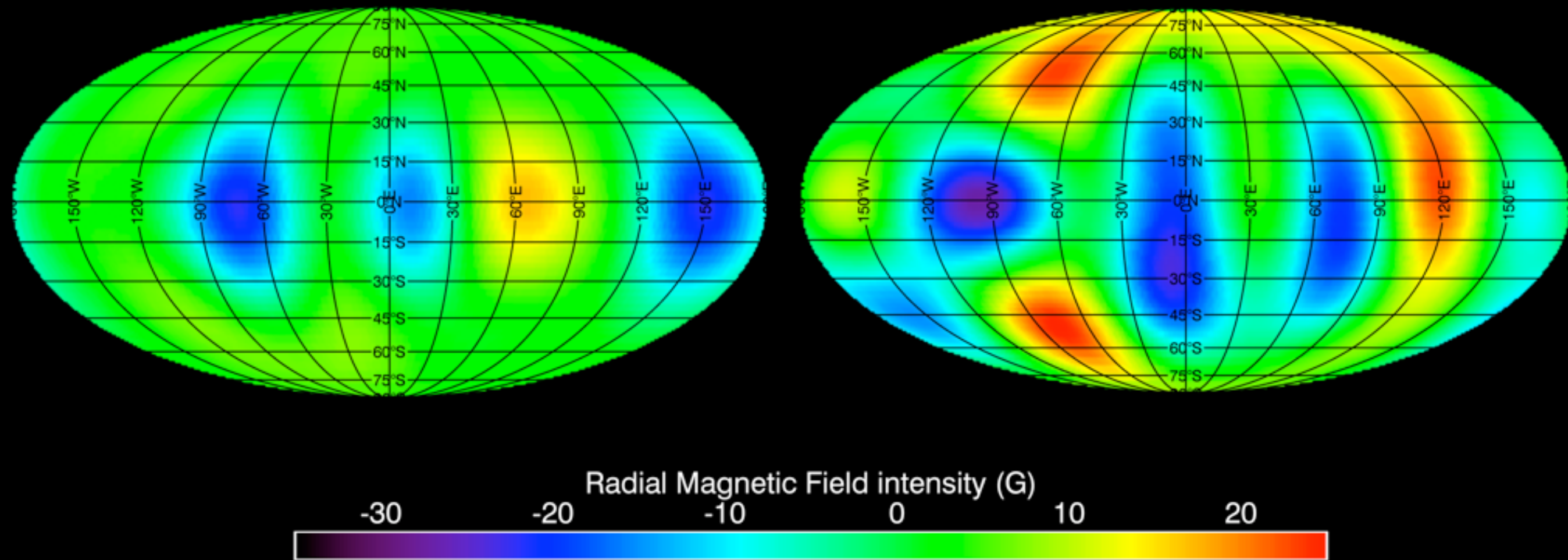


The HD 189733 System

An ideal target for magnetic imaging

June 2007

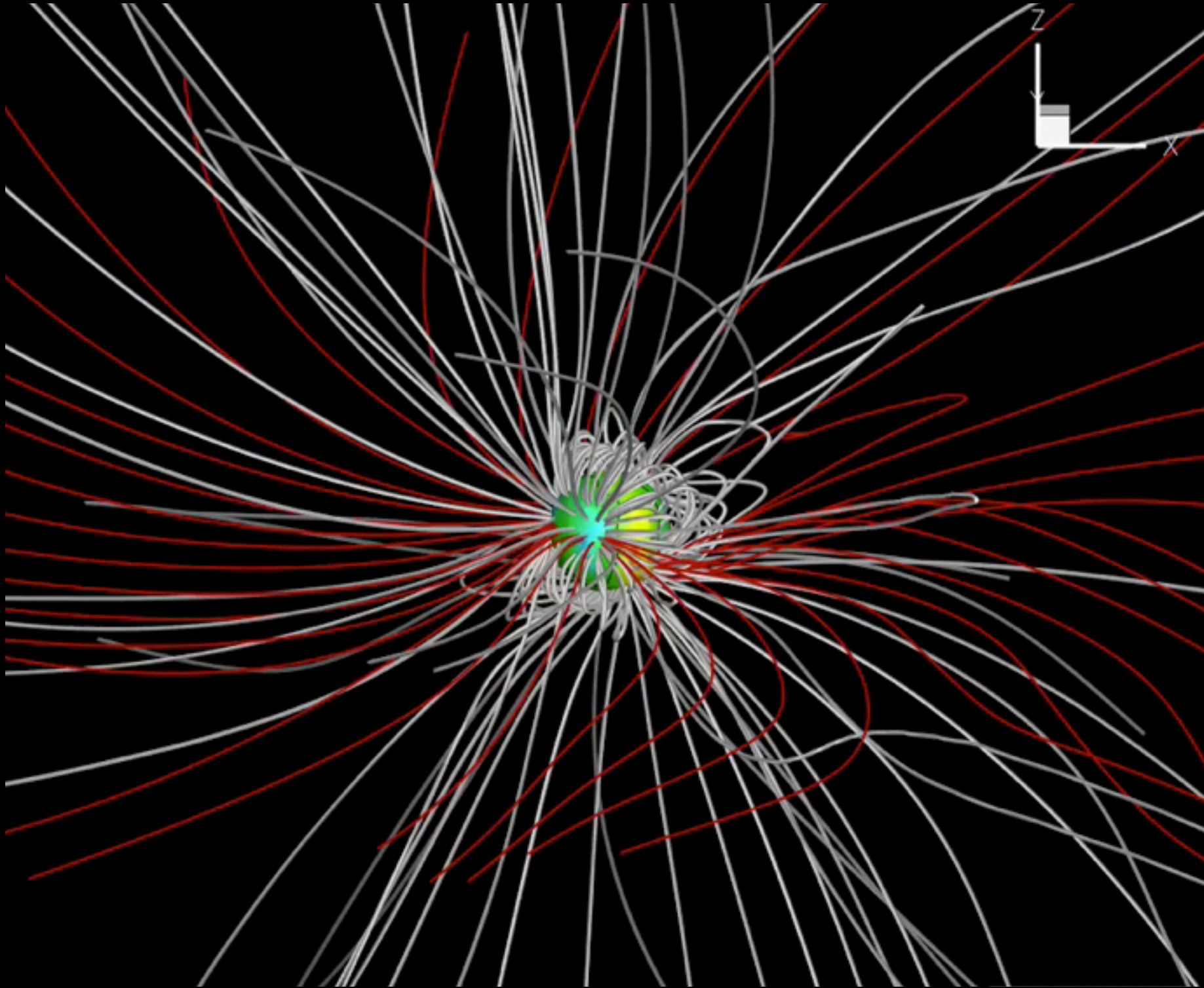
July 2008



Fares et al 2010

Magnetic Geometry of HD 189733

Zeeman-Doppler Imaging



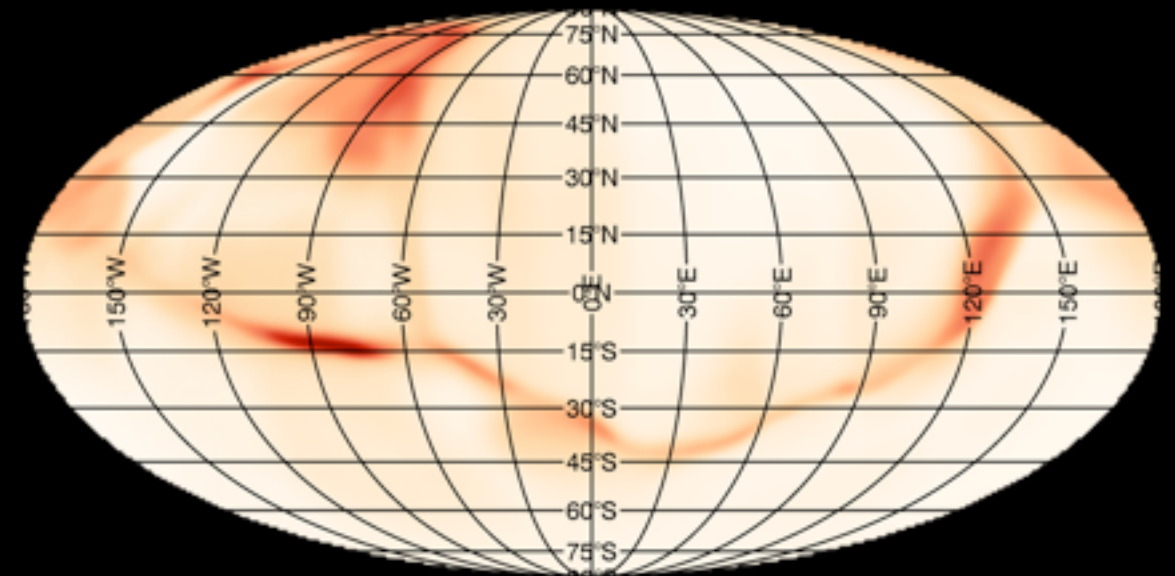
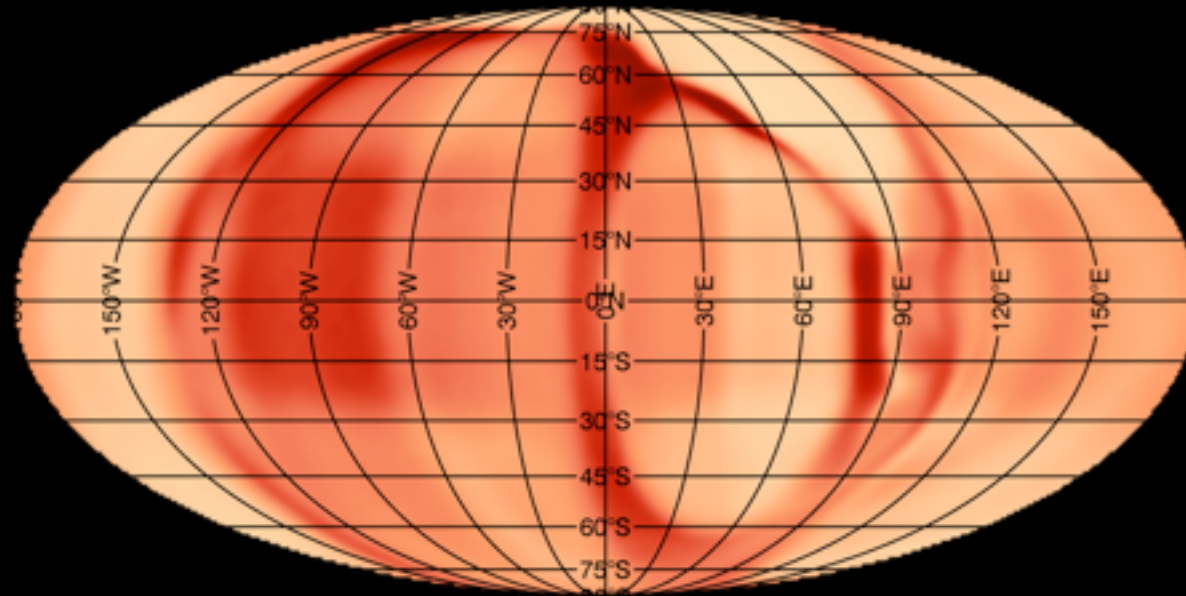
Movie from Aline Vidotto

The Stellar Wind of HD 189733

Environment around HD 189733b

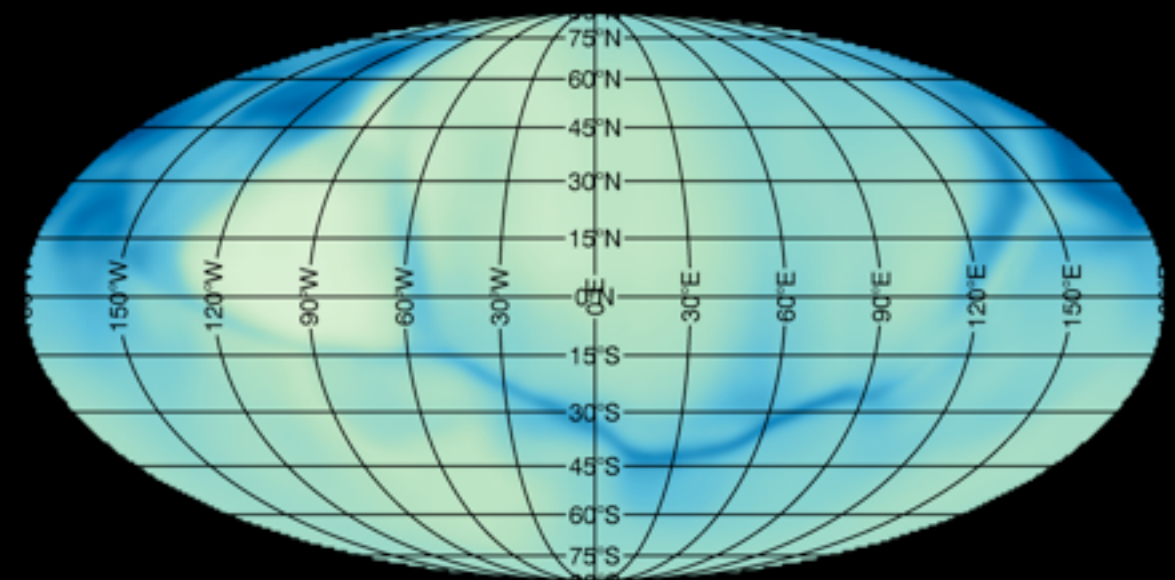
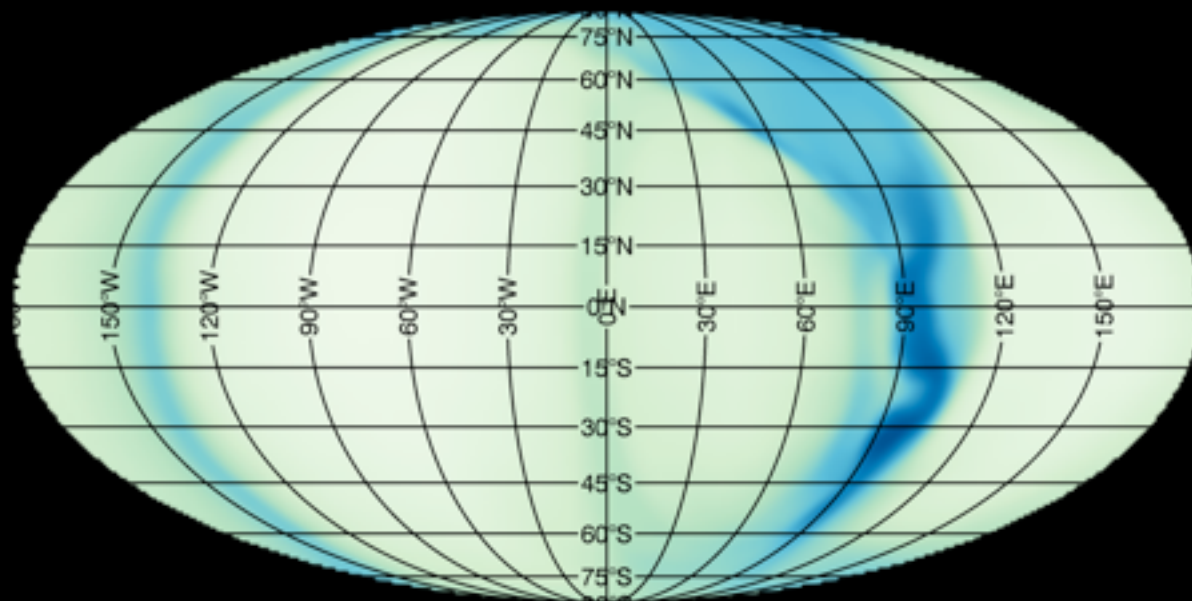
June 2007

July 2008



Total Pressure (cgs)

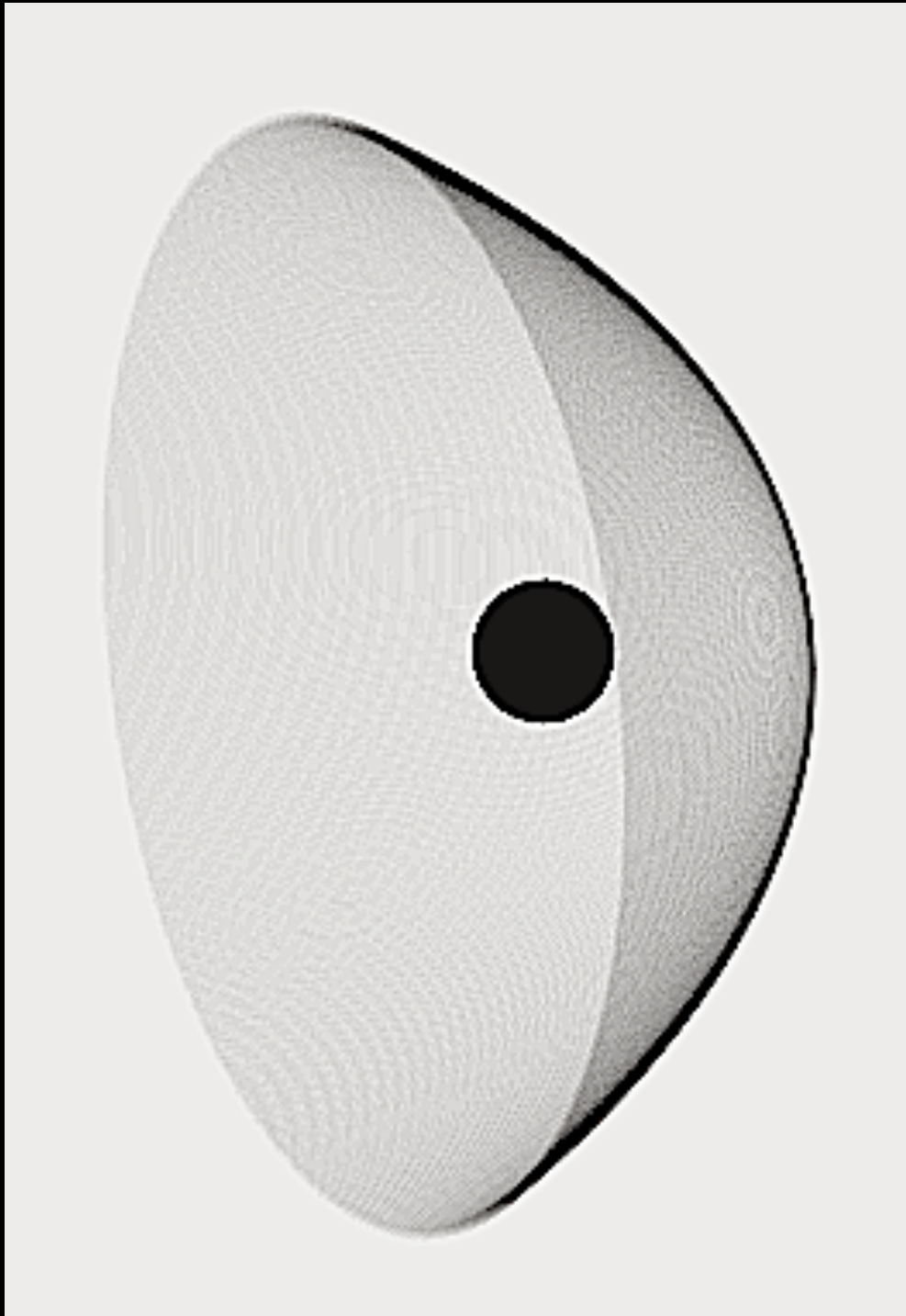
0.0002 0.0004 0.0006 0.0008 0.0010 0.0012



Density (cgs)

2×10^{-19} 4×10^{-19} 6×10^{-19} 8×10^{-19}

Shock Model



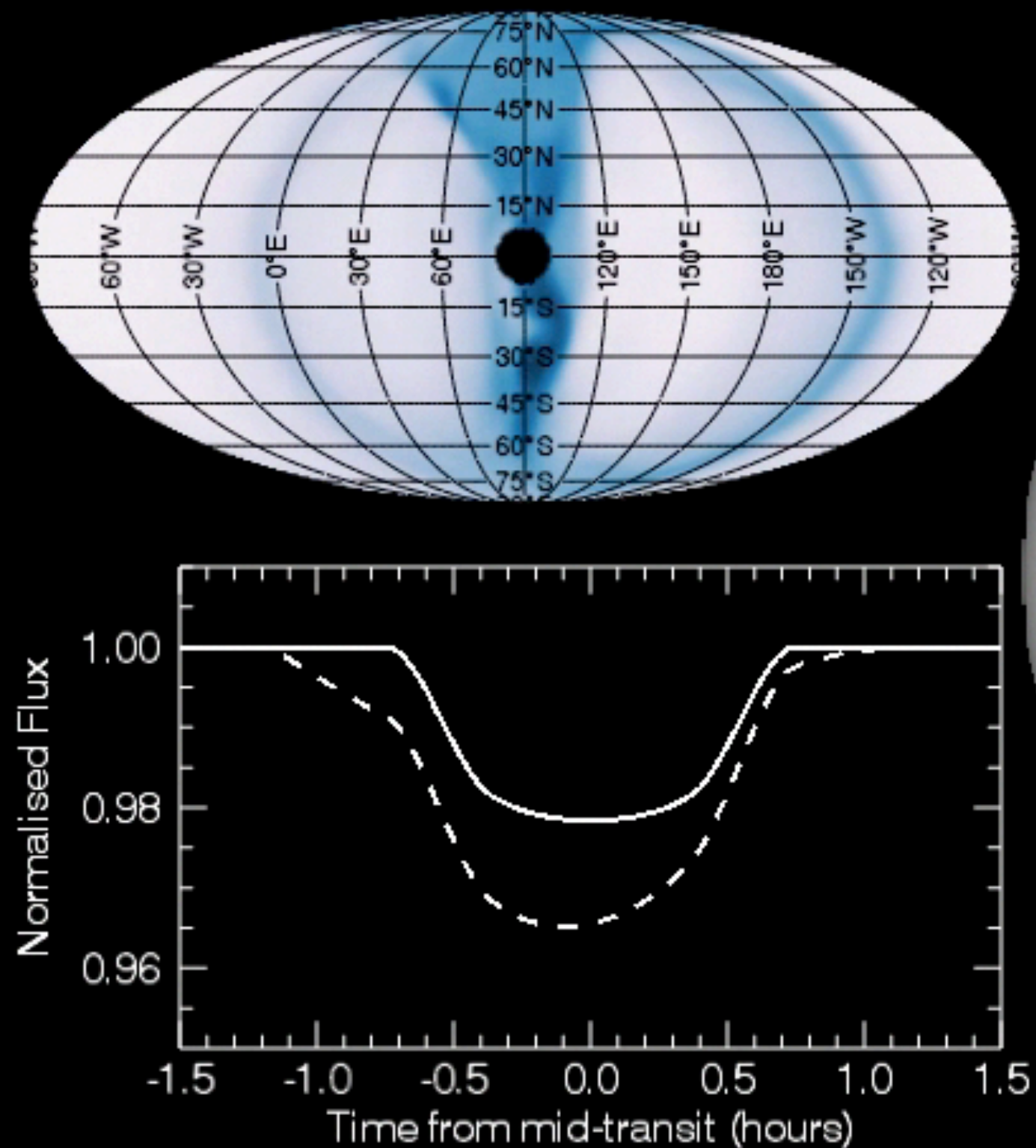
$$B_{\text{planet}} = B_{\text{Jupiter}} = 14\text{G}.$$

Dipolar planetary magnetic field.

Simulating near-UV transits.

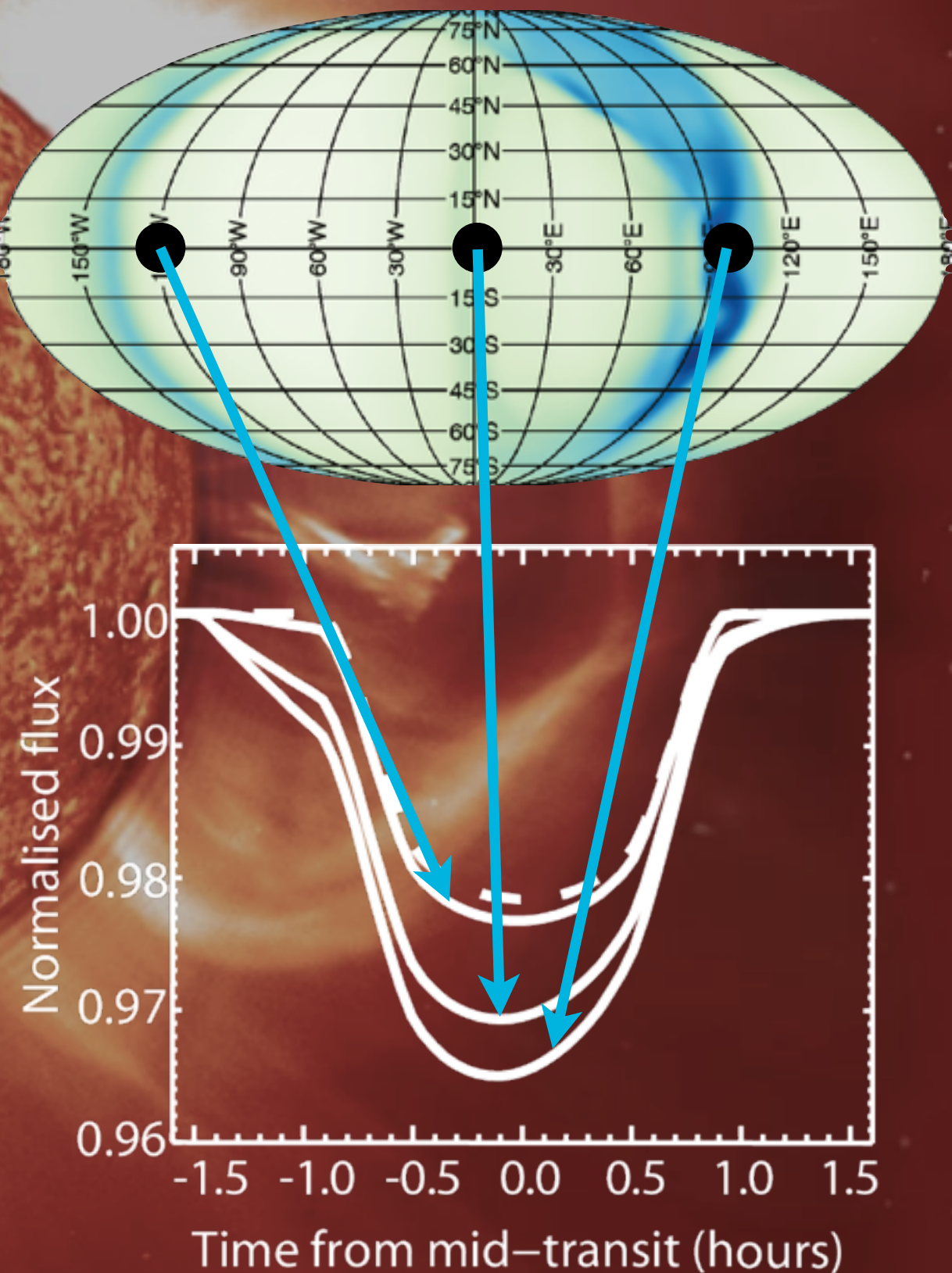
Integrate along line-of-sight to create transit.

Simulated Near-UV Light Curves



Llama et al 2013:
<http://arXiv.org/abs/1309.2938>

Conclusions and Prospects



Near-UV transits provide a potential method for detecting exoplanetary magnetic fields.

Local stellar wind conditions around the planet influence the near-UV transit timing and depth.

Repeated observations allow us to study the varying environment around the planet.

Simultaneous multi-wavelength observations of HD 189733b: X-ray, UV, magnetic mapping underway.