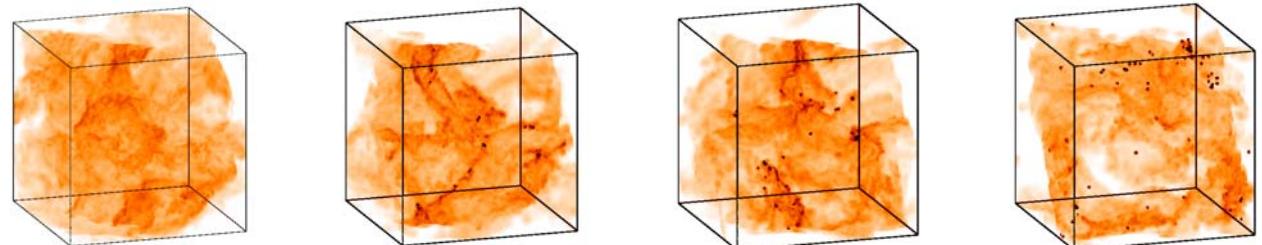


Gravoturbulent Fragmentation: Effects of a Non-Isothermal EOS on Mass Spectra

Anne-Katharina Jappsen

Astrophysikalisches Institut Potsdam



Collaborators

Ralf S. Klessen - AIP

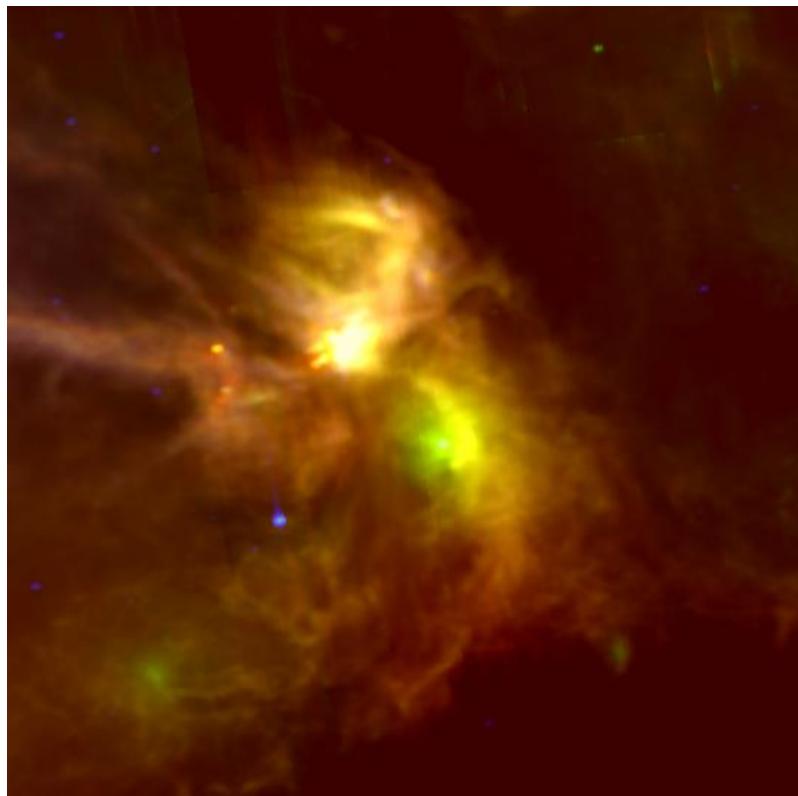
Richard B. Larson - Yale Univ., New Haven

Yuxing Li - Columbia Univ., New York

Mordecai-Mark Mac Low - AMNH, New York



Born in Turbulent Times & Places



ρ Ophiuchi - IRAS



Orion Nebula - ESO

Turbulence

Evidence?

- transient clumpy nature of clouds
- linewidth of molecular emission lines (Blitz 93)

Characteristics?

- supersonic
- decays quickly

Driving Mechanisms?

- MRI, gravitational motions (e.g. collapse)
- stellar feedback (e.g. supernovae)

Turbulence + Gravity: Gravoturbulent Star Formation

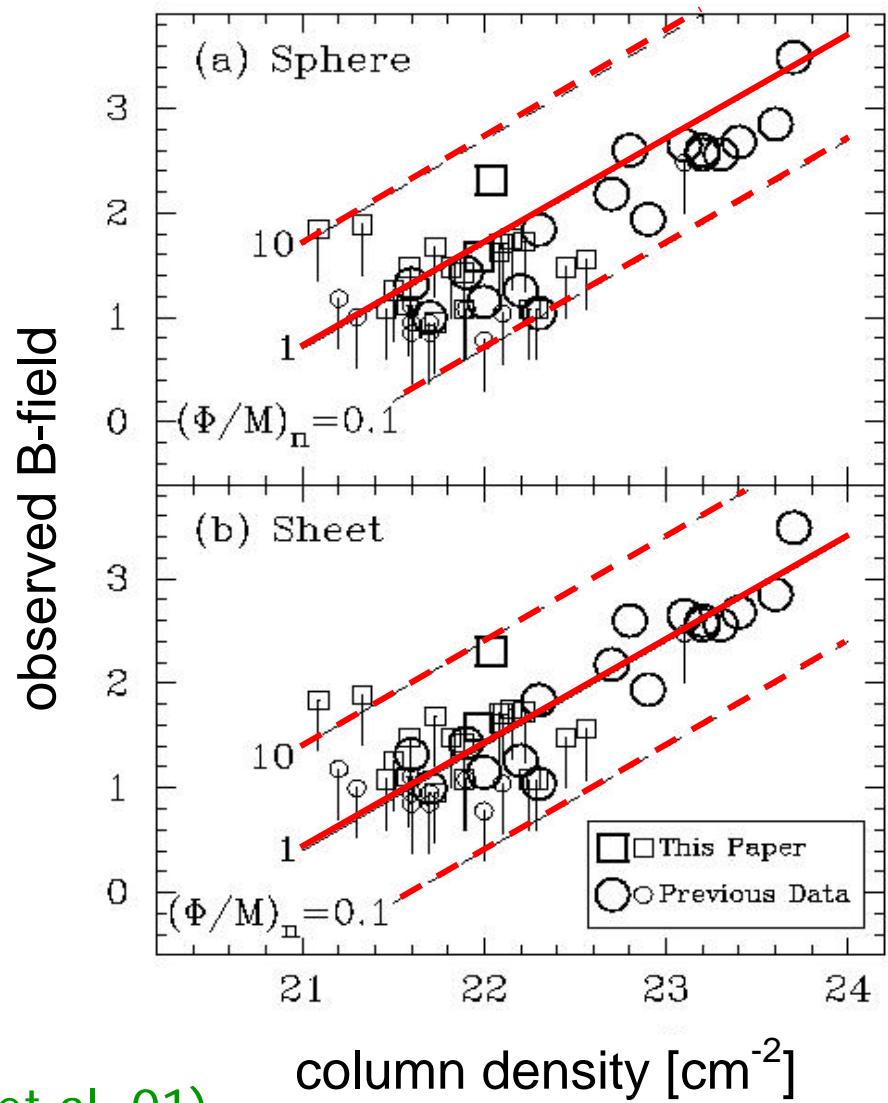
- Dual role of turbulence:
 - stability on large scales
 - initiating collapse on small scales
- Supersonic turbulence
→ strong density fluctuations
- Gravity selects clumps to go into collapse
→ formation of stars and star clusters

Magnetic Fields?

$(\Phi/M)_n > 1$ no collapse

$(\Phi/M)_n < 1$ collapse

- cloud cores
magnetically supercritical
- B-fields **too weak** to prevent gravitational collapse
- B-fields **cannot** prevent decay of turbulence



(Bourke et al. 01)

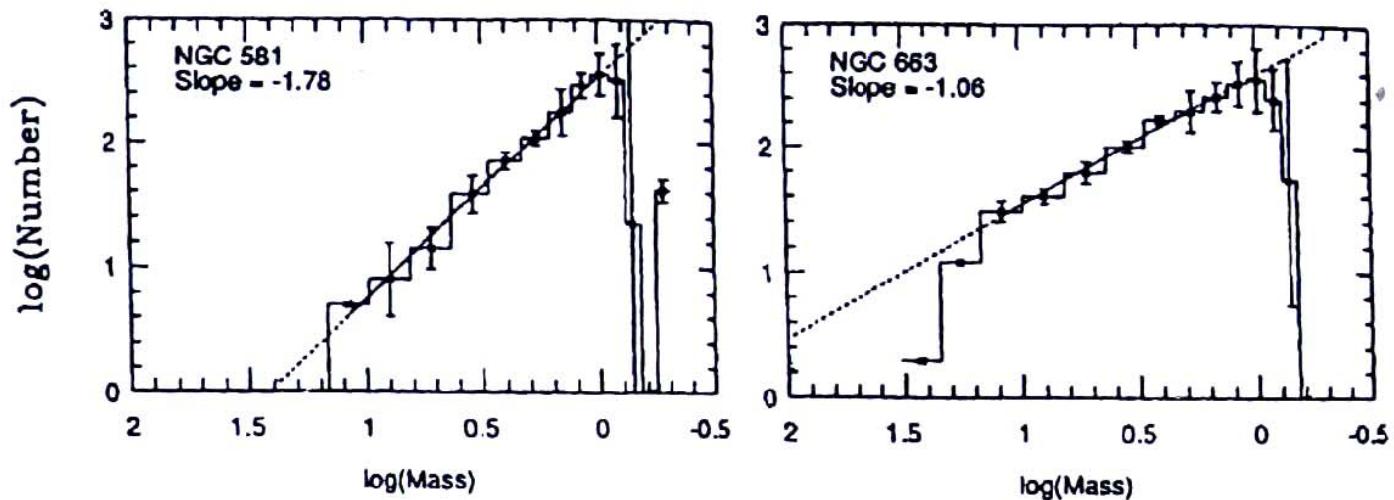
What can we learn from models ?

- Global Properties:
 - SF efficiency and SF time scale
 - IMF
 - description of self-gravitating turbulent systems
 - chemical mixing properties
- Local Properties:
 - properties of individual clumps
 - accretion history of individual protostars
 - binary (proto)stars
 - SED's of individual protostars
 - dynamic PMS tracks: $T_{\text{bol}}-L_{\text{bol}}$ evolution

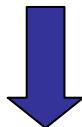
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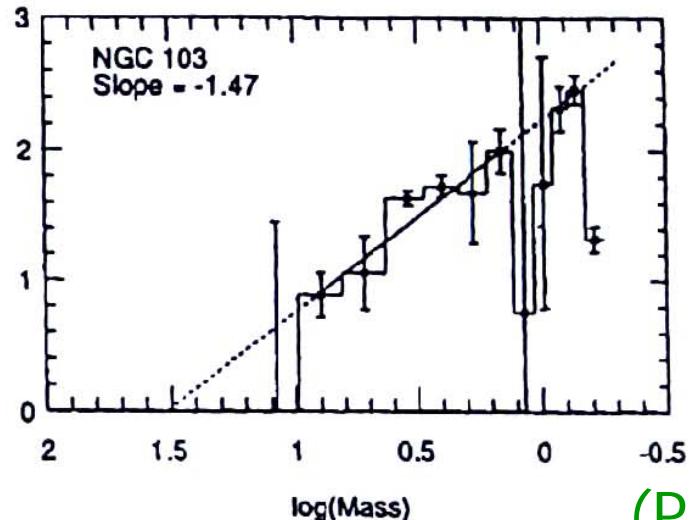
Characteristic Mass of the IMF



universal feature



universal cause?



(Phelps & Janes 93)

Thermal Properties of Star-Forming Clouds

Observations:

- balance: gravity and thermal pressure (Myers et al. 91)
- temperatures: 8 – 20 K
- heating and cooling processes

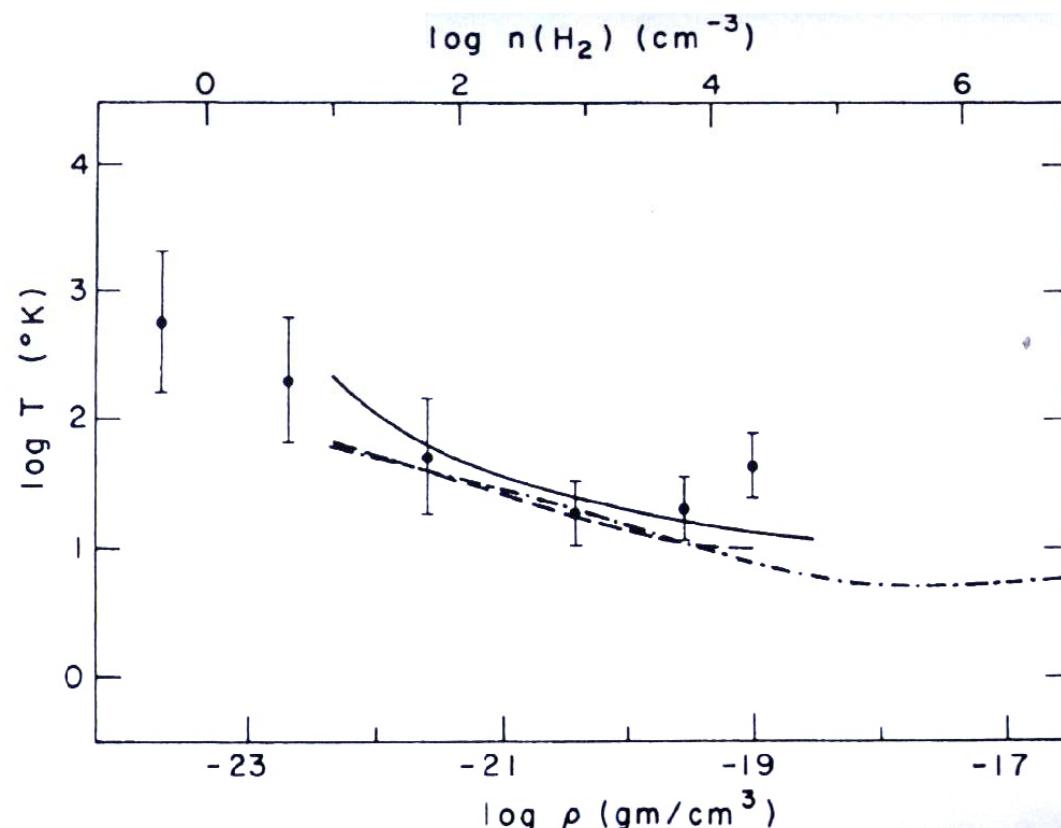
But in Simulations:

- isothermal approximation ($\gamma = 1.0$)
- temperature: ~ 10 K

Fragmentation depends on Equation of State (EOS)
(Li et al. 03)

Beyond the Isothermal Approximation

below $10^{-18} \text{ gcm}^{-3}$: $\rho \uparrow \longrightarrow T \downarrow$
above $10^{-18} \text{ gcm}^{-3}$: $\rho \uparrow \longrightarrow T \uparrow$



(Larson 85)

Piecewise Polytropic Equation of State

$$\begin{aligned} P &= K_1 \rho^{\gamma_1} & \rho < \rho_{\text{crit}} \\ P &= K_2 \rho^{\gamma_2} & \rho > \rho_{\text{crit}} \end{aligned}$$

$$\begin{aligned} \gamma_1 &= 0.7 \\ \gamma_2 &= 1.1 \end{aligned}$$

$$4 \times 10^4 \text{ cm}^{-3} < n_{\text{crit}} < 4 \times 10^7 \text{ cm}^{-3}$$

Is there a connection between ρ_{crit} and a characteristic stellar mass ?

Numerical Method

- smoothed particle hydrodynamics
- parallel Gadget (Springel 01)
 - + turbulent driving (Mac Low 99)
 - + sink particles (Bate et al. 95)
- periodic boundaries
- polytropic EOS
- no magnetic fields

Turbulent Driving

- uniformly driven
- Gaussian random velocity fields
- characterized by:
 - mean value
 - standard deviation: power spectrum $P(k) = k^{-q}$
- random amplitude and phase
- const. energy input rate

Sink Particles

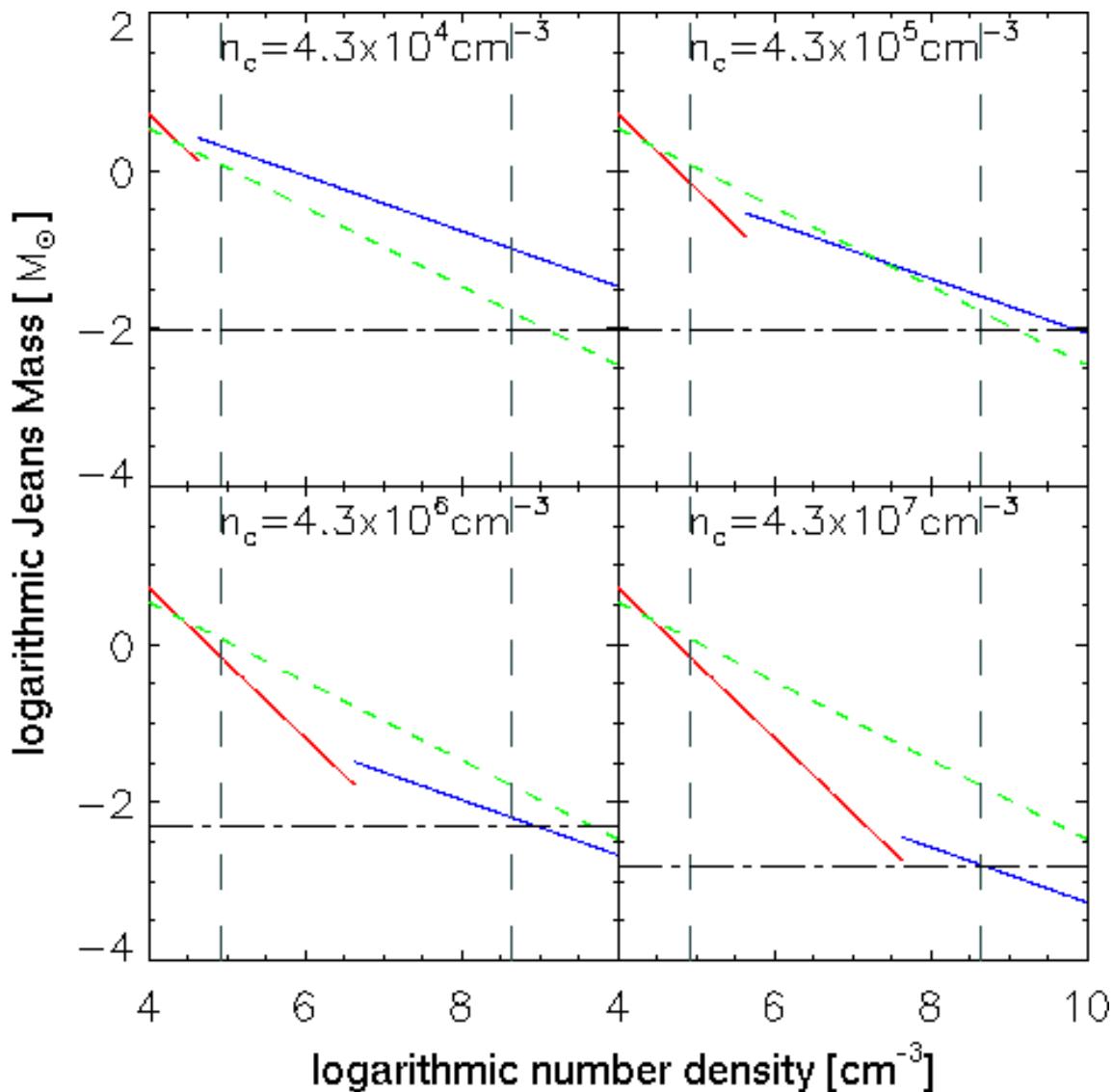
- replace gas core by single, non-gaseous, massive sink particle
- fixed radius – Jeans radius of core
- inherit masses, linear momenta, “spin”
- accrete gas particles
- boundary corrections

Model Parameter

- initial mean density: $n(H_2) = 10^5 \text{ cm}^{-3}$
- volume: $(0.3) \text{ pc}^3$
- initial temperature: 11.4 K
- contained mass: $120 M_{\text{SUN}}$
- initial Jeans mass: $0.7 M_{\text{SUN}}$
- number of gas particles: 10^6
- resolution limit: $0.01 M_{\text{SUN}}$
- $r_{\text{SINK}} = 310 \text{ AU}$
- free-fall time: 10^5 yrs
- $M_{rms} = 3.2$
- $k_{drv} = 1..2$

Jeans Mass as a Function of Density

- $\gamma_1 = 0.7$
- $\gamma_2 = 1.1$
- isothermal
- $M_J \sim \rho^{-0.95}$

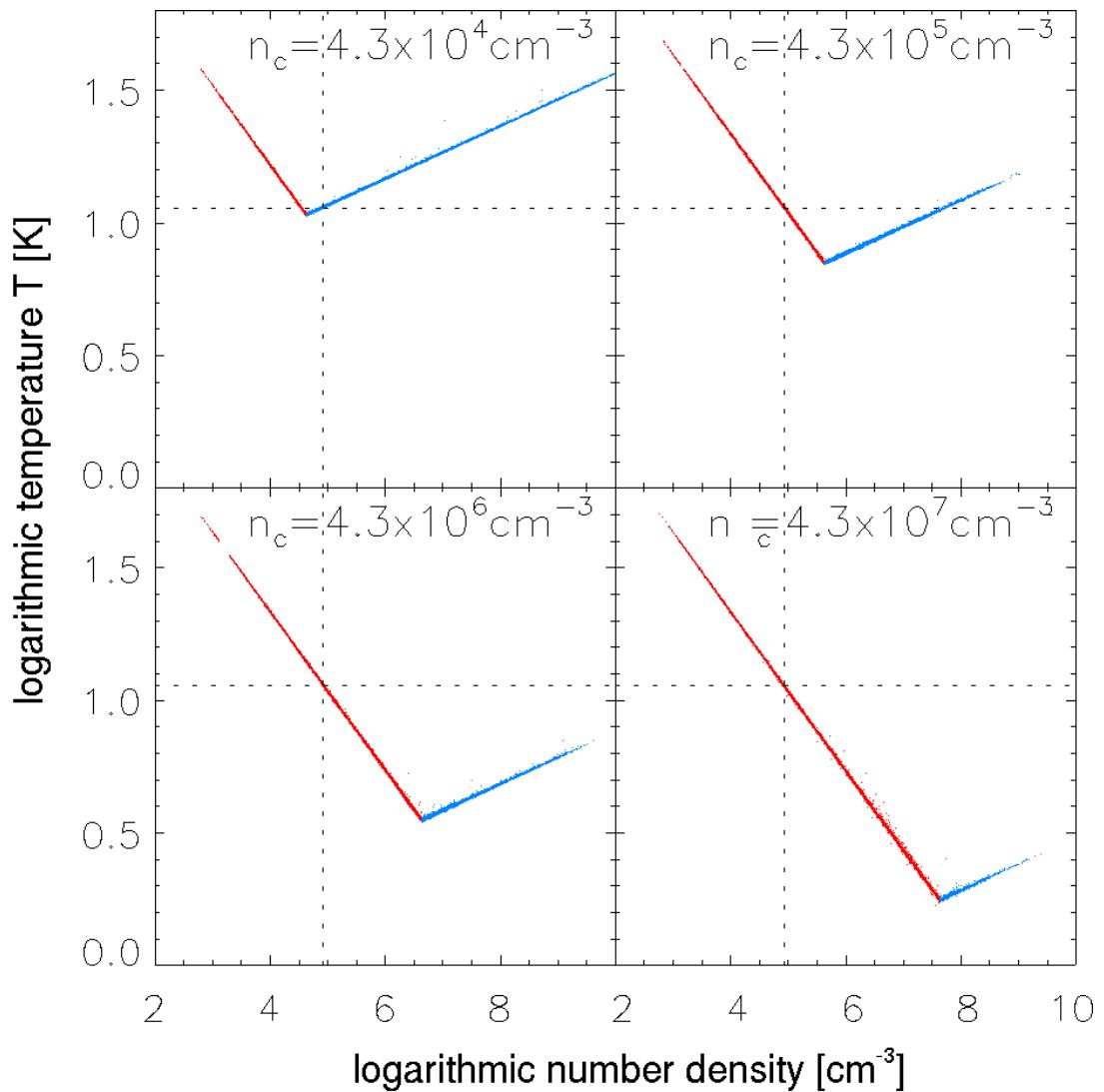


Temperature as a Function of Density

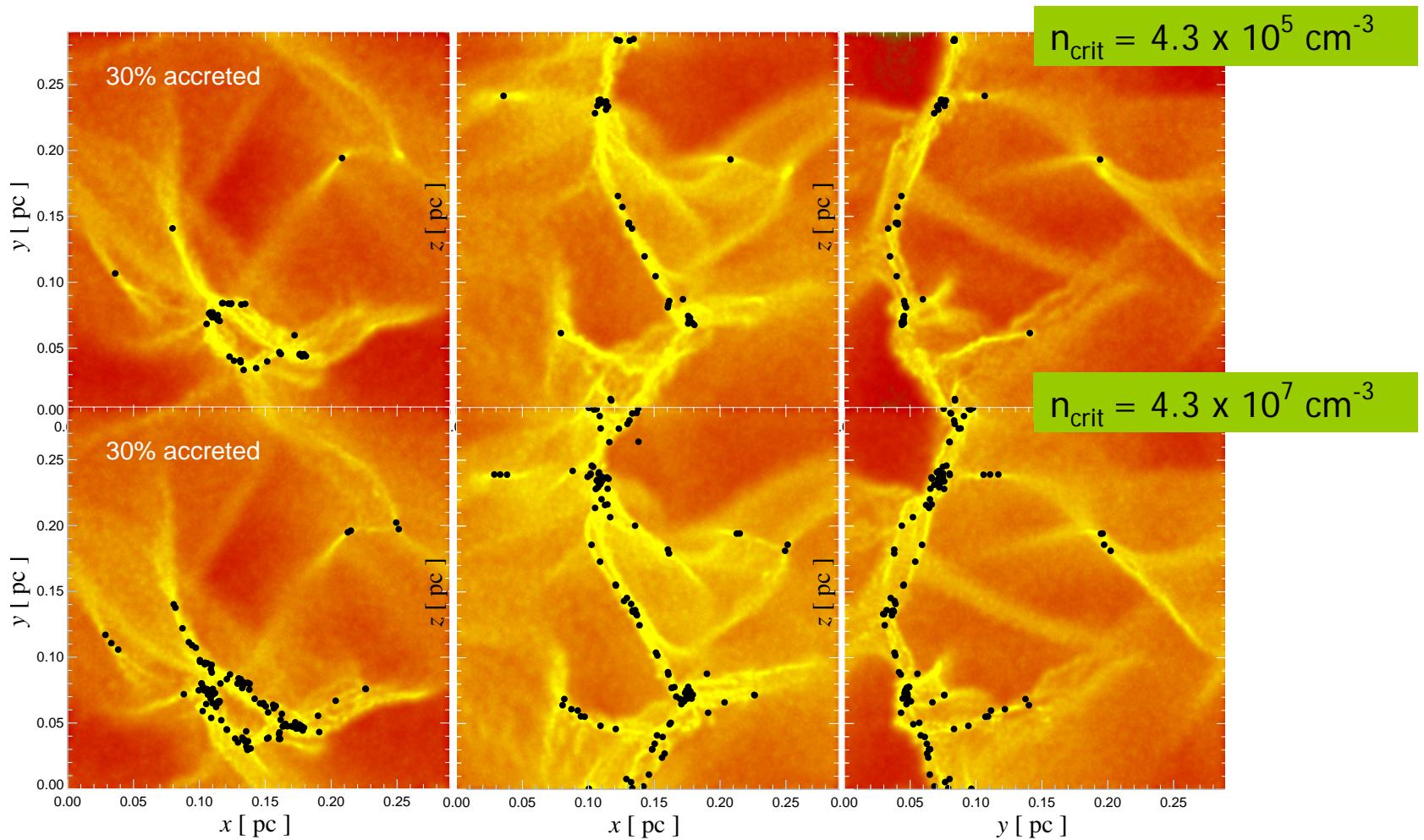
$$\gamma_1 = 0.7$$

$$\gamma_2 = 1.1$$

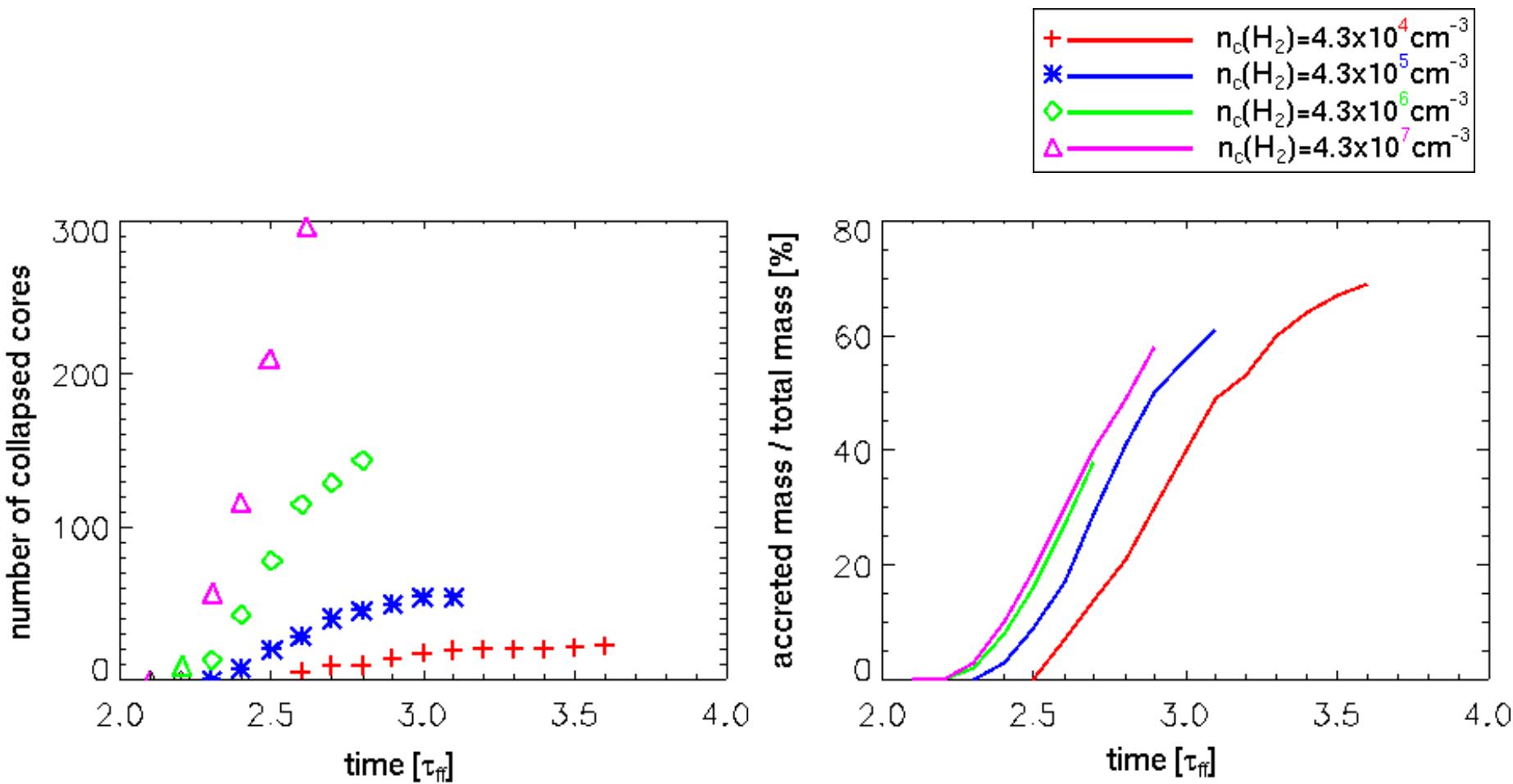
$$T \sim \rho^{\gamma-1}$$



Density Distribution of the Gas

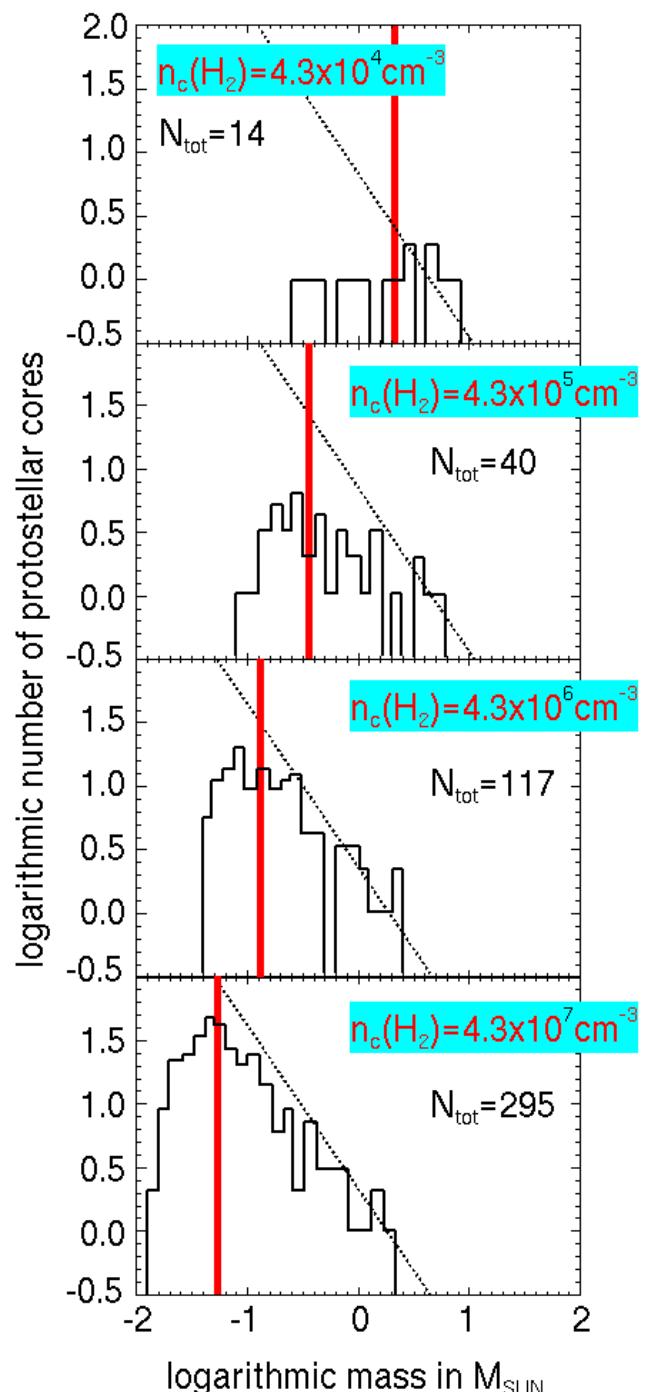
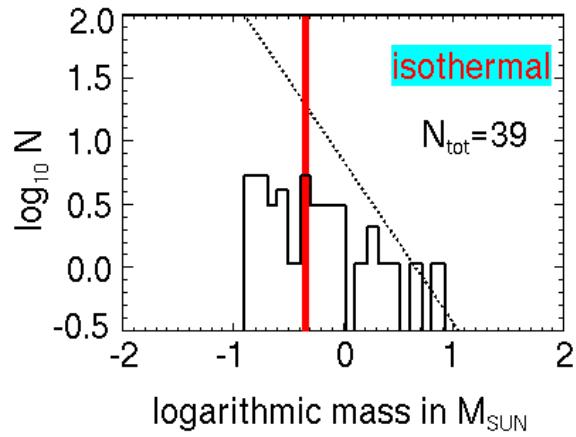


Temporal Evolution



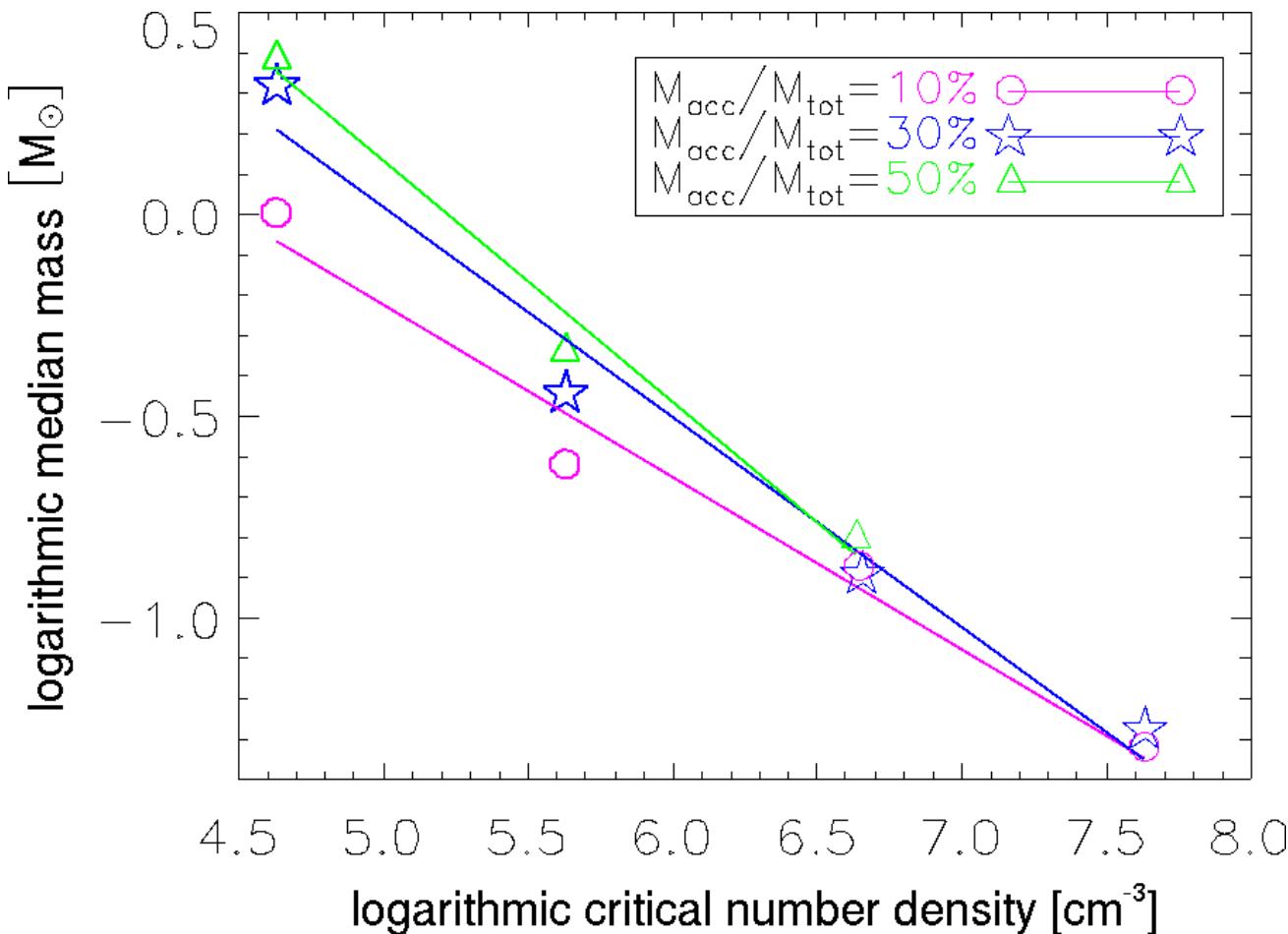
Mass Spectra of Protostellar Cores

- 30% gas accreted
- median mass



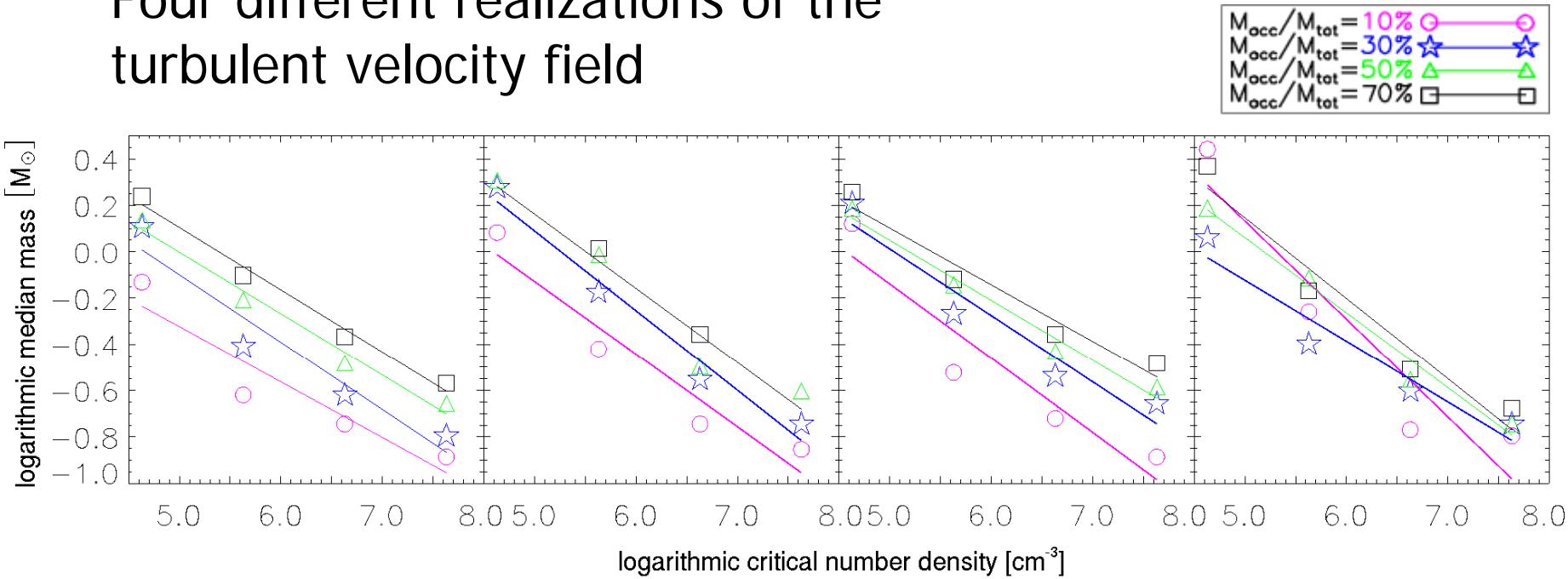
Median Mass over Critical Density

- critical density \uparrow \longrightarrow median mass \downarrow



Changing the Turbulent Velocity Field

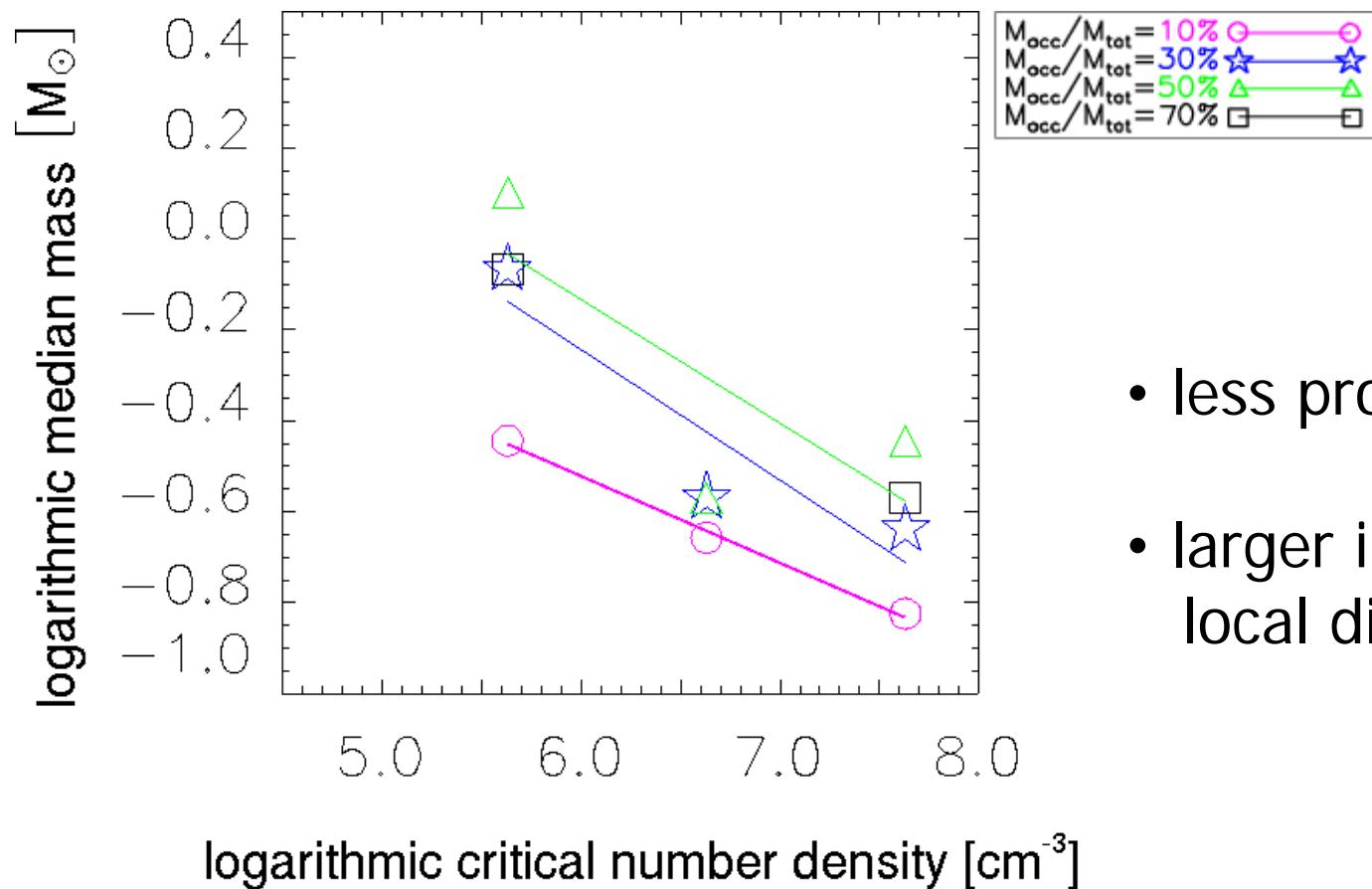
Four different realizations of the turbulent velocity field



- slope < 0 but quantitatively -> differences
- star formation is a statistical process

Changing the Turbulent Driving Scale

$k = 1..2 \rightarrow k = 7..8$



- less protostellar cores
- larger influence of local differences

Summary

- change in EOS selects characteristic mass scale
- dependence weaker than expected
- effect still present for:
 - different turbulent velocity fields
 - turbulent driving on smaller scales
- more work to be done:
 - which EOS represents thermal physics best?
 - further investigate influence of other parameters
 - better mass resolution
 - primordial gas $\xrightarrow{\gamma > 1.0}$ isolated, massive objects?